

# Dynamics of superfluid $^6\text{Li}$ gases through a thin barrier

Giacomo Roati

INO-CNR & LENS, University of Florence, Italy

Area della ricerca CNR

14<sup>th</sup> December 2015



INO-CNR  
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European Research Council

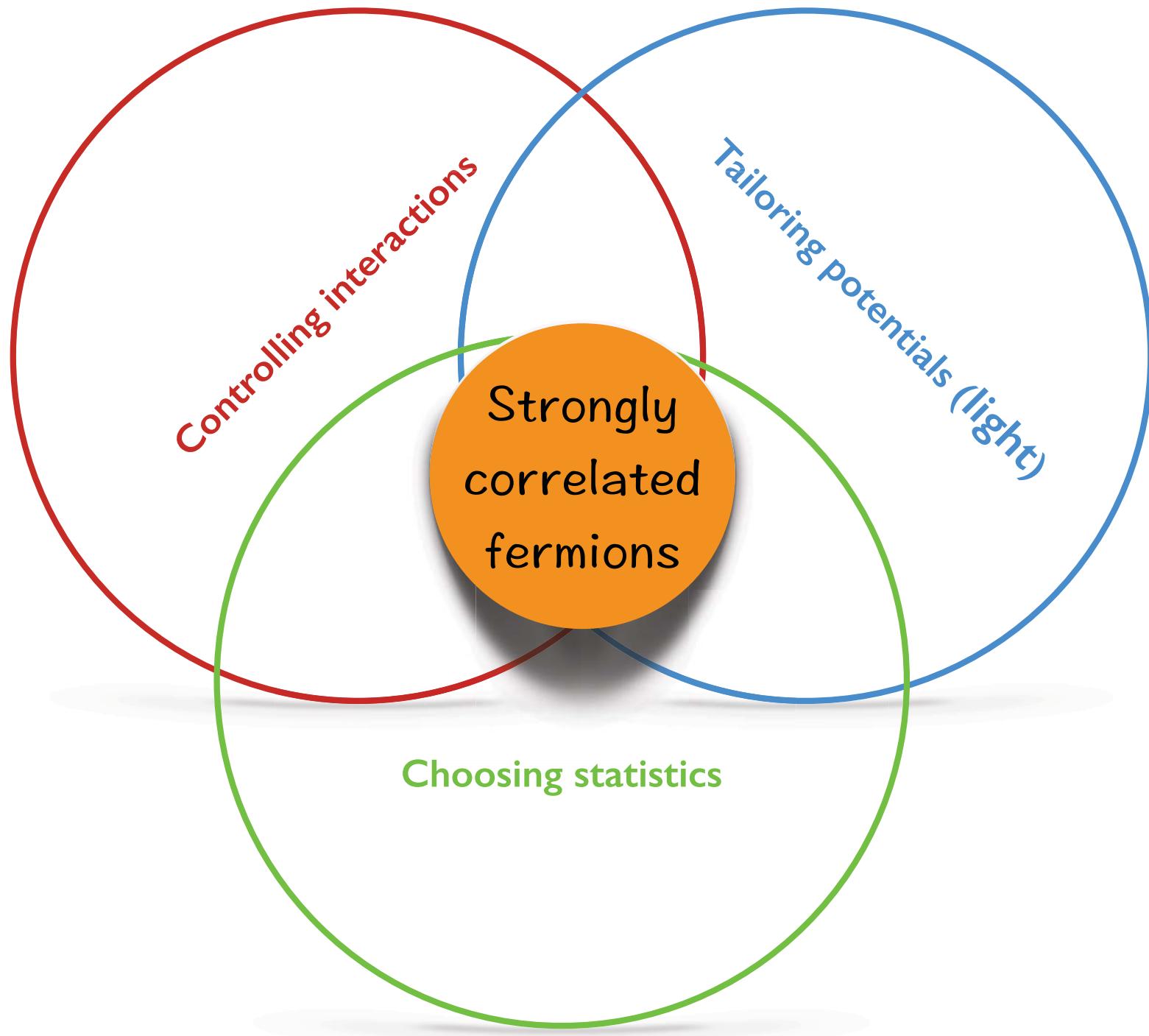


INTERNATIONAL  
YEAR OF LIGHT  
2015

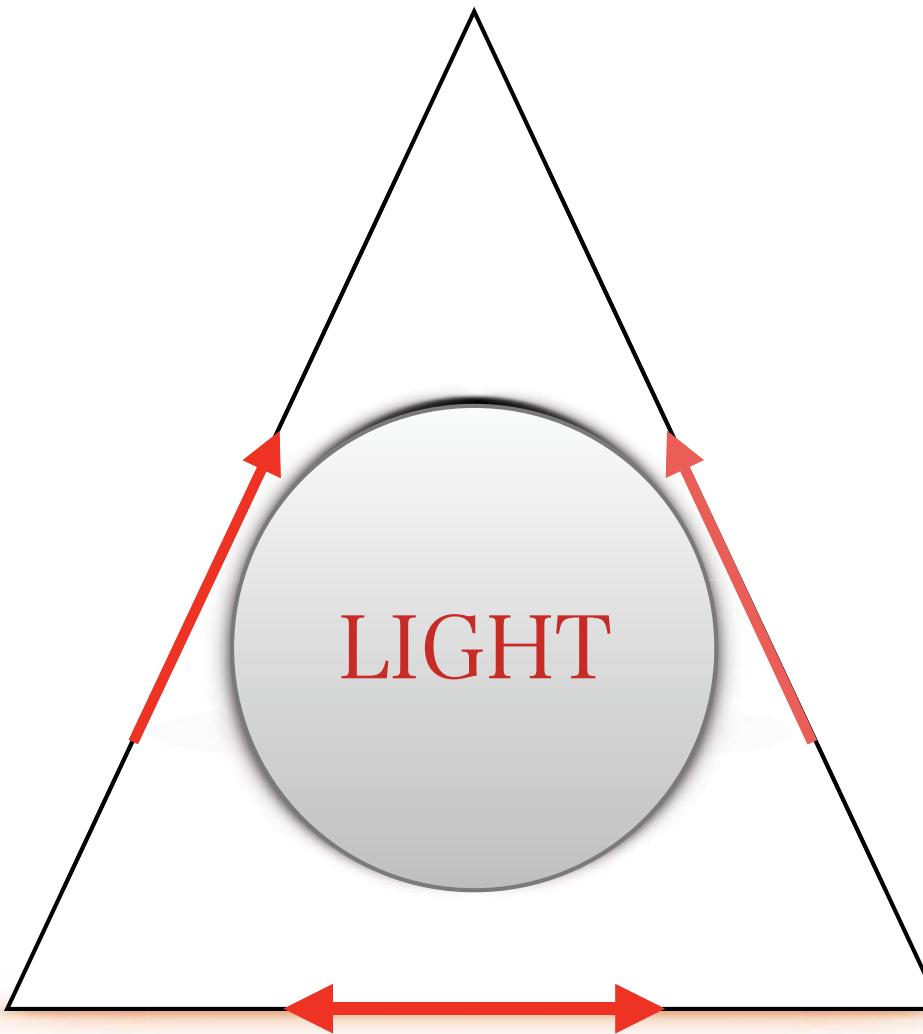


# OUTLINE

- I. General motivations.
2. BEC-BCS crossover: strongly-correlated Fermi gases
3. Our experiments: tunneling of (strongly-correlated) fermions
4. Dynamics of superfluid Fermi gases across the BEC-BCS crossover: from coherent to dissipative dynamics
5. Spin diffusion across the BEC-BCS crossover: **work in progress.**
6. Conclusions



## Real and new materials: technological impact

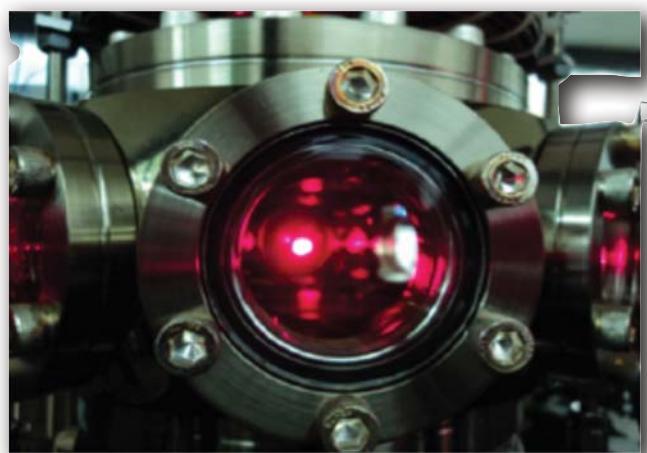


Quantum simulation: theory

Quantum simulation: experiments

Simulating the electronic properties of materials long before they can be physically realised

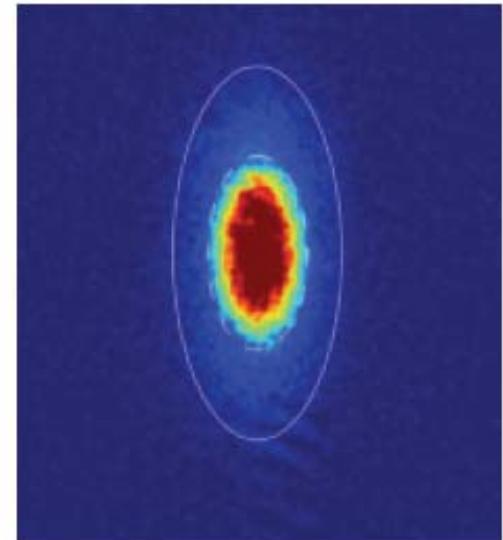
# THE ESSENTIAL TOOL: light !!!



Cooling



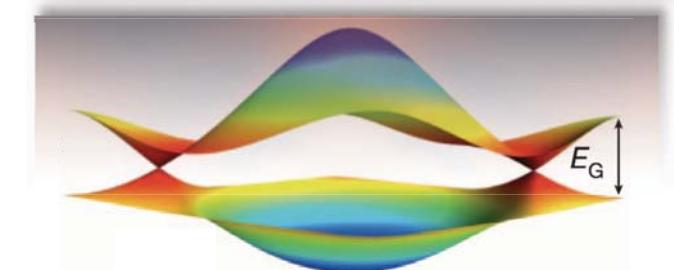
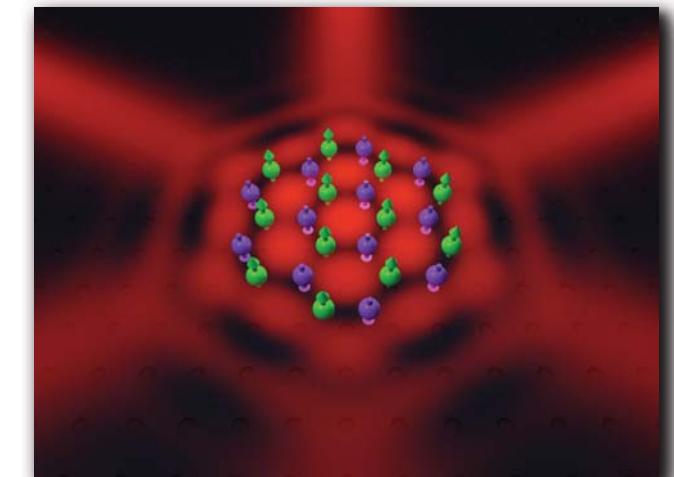
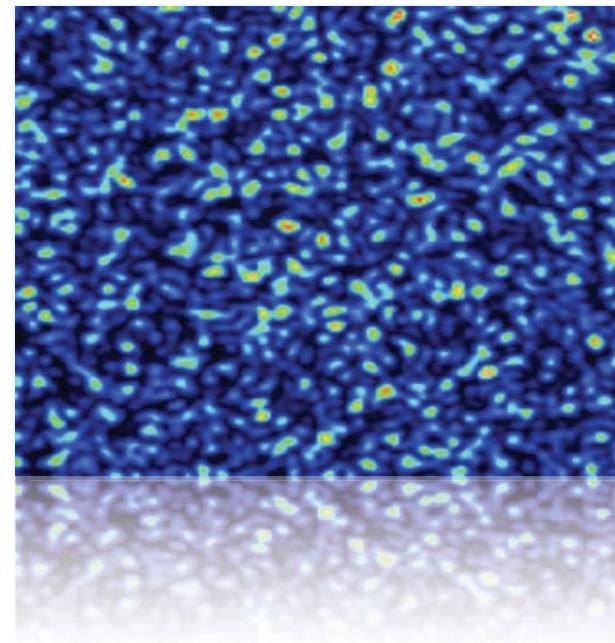
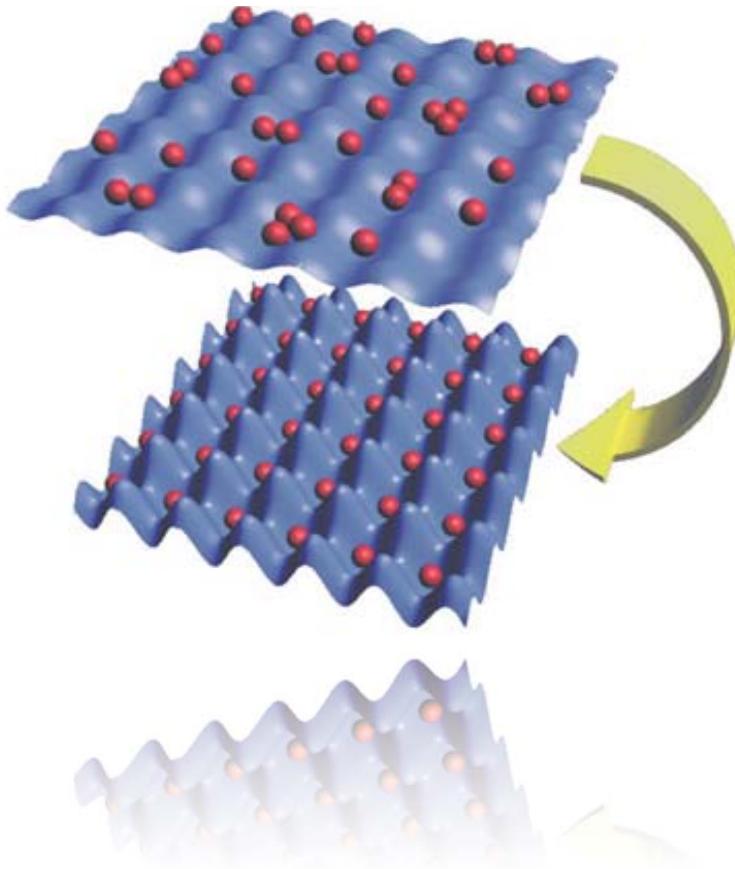
Trapping



Imaging



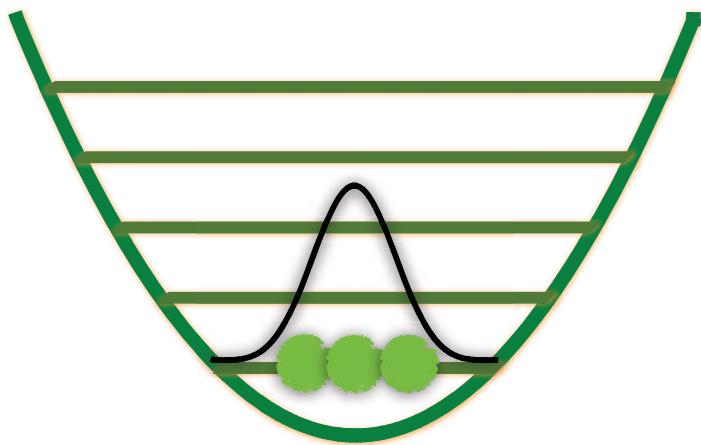
# THE ESSENTIAL TOOL: light !!!



Engineering artificial “crystals” made by (laser) light

BEC-BCS crossover:  
strongly-correlated (superfluid) fermions

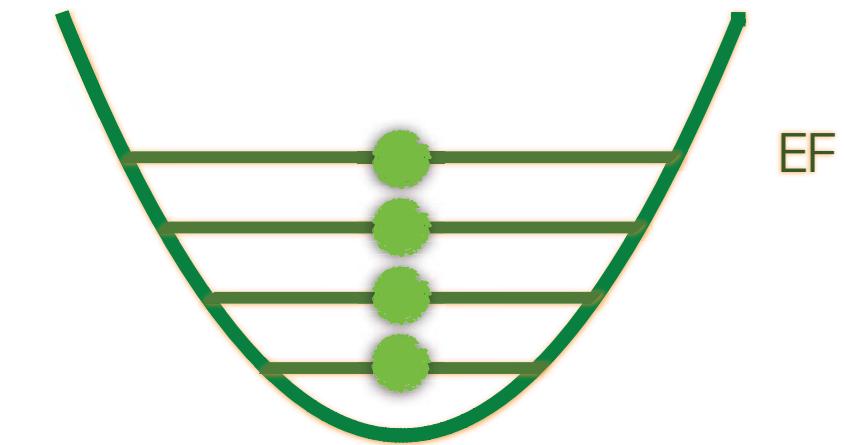
## BOSONS (T=0)



Statistical “attraction” between  
the particles

- Atomic gases
- Photons
- Phonons in crystal
- ${}^4\text{He}$

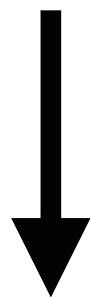
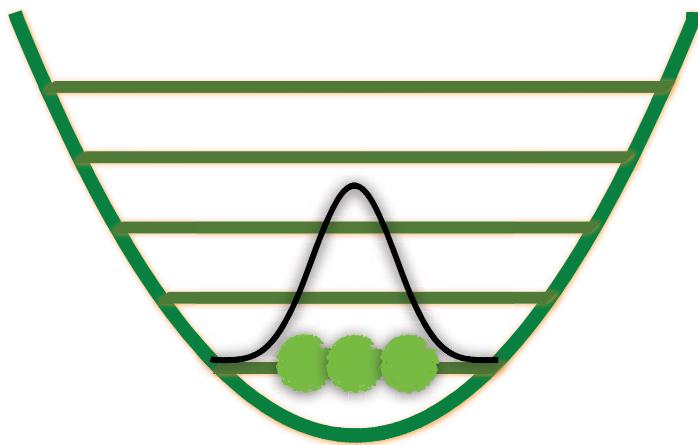
## FERMIONS (T=0)



Statistical “repulsion” between  
the particles

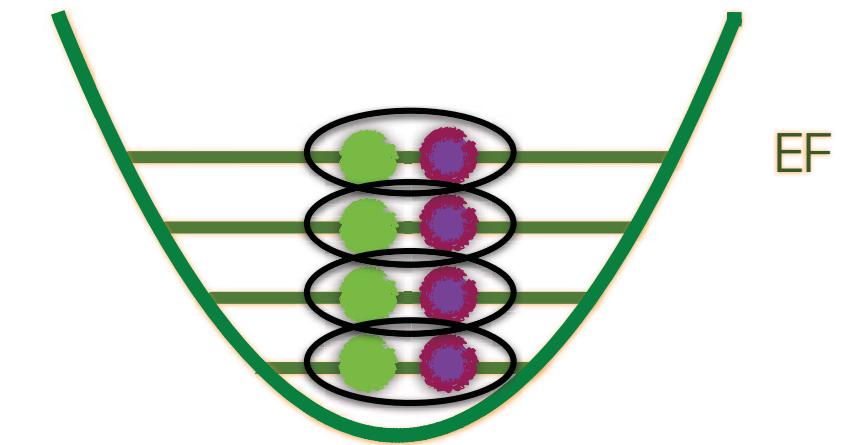
- Atomic gases
- Electrons and nuclei
- White Dwarf
- ${}^3\text{He}$

Bose-Einstein condensate



**SUPERFLUIDITY**

Fermi gas



**SUPERFLUIDITY**

**Superfluidity is one of the most intriguing phenomenon in physics.**



$$\Delta = |\Delta| e^{i\varphi}$$

Two paradigmatic “in principle  
**disconnected**” limits...



(Bosons)



Bose-Einstein condensation

Helium 4  
Atomic gases  
Polaritons  
Light

?

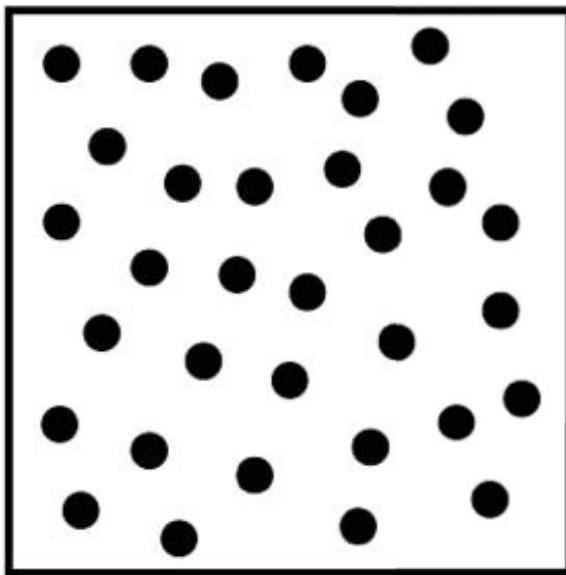
(Fermions)



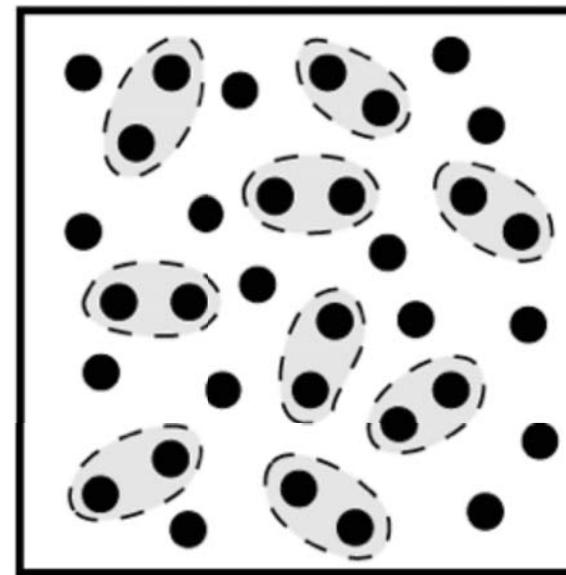
Bardeen-Schrieffer-Cooper pairing

Helium 3  
Atomic gases  
Superconductors  
Nuclear matter

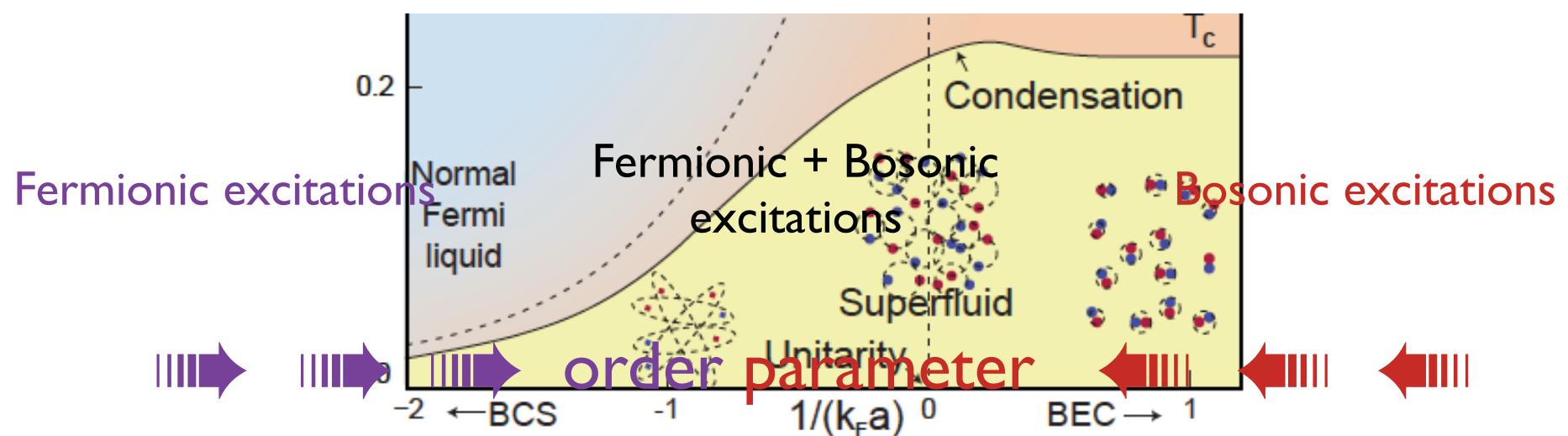
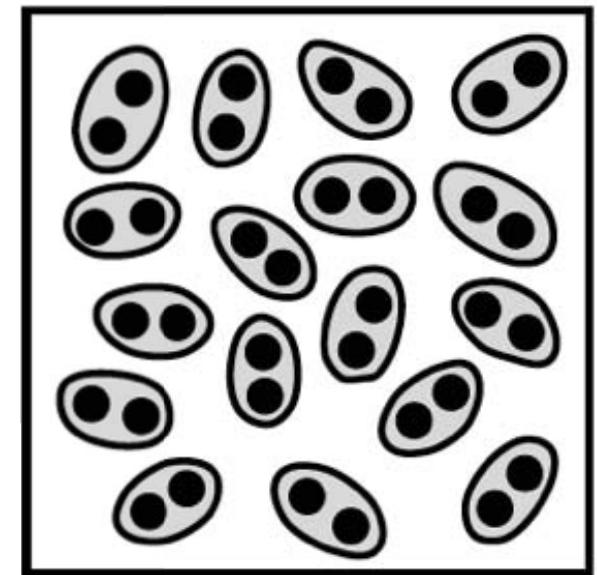
*BCS*

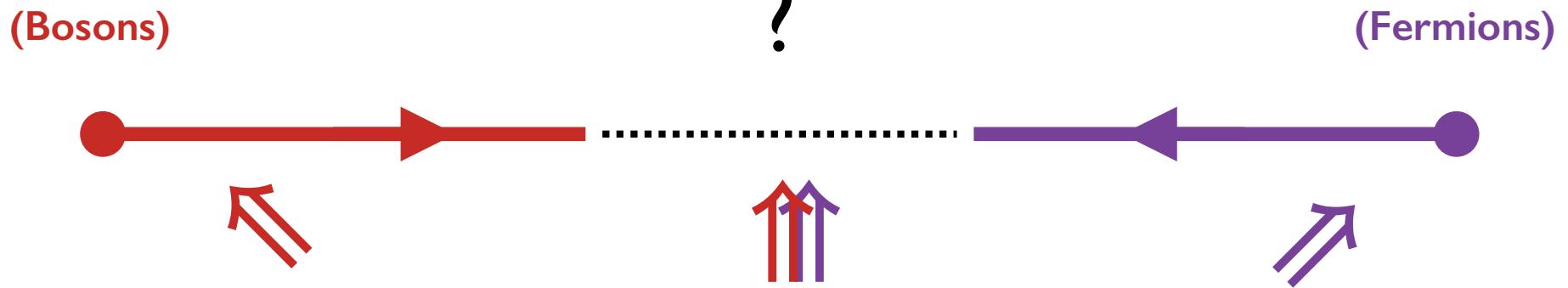


*Unitary*



*BEC*

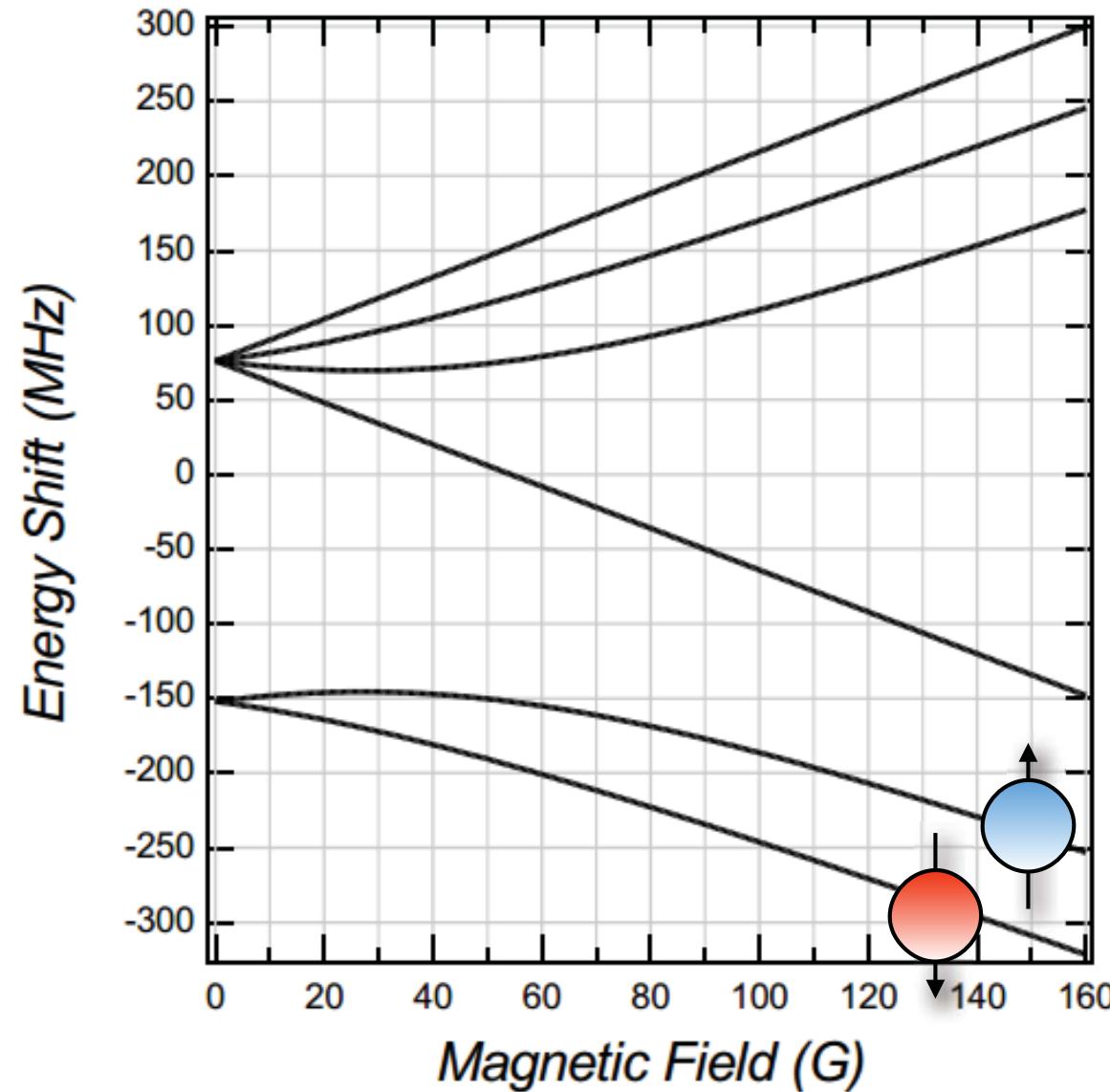




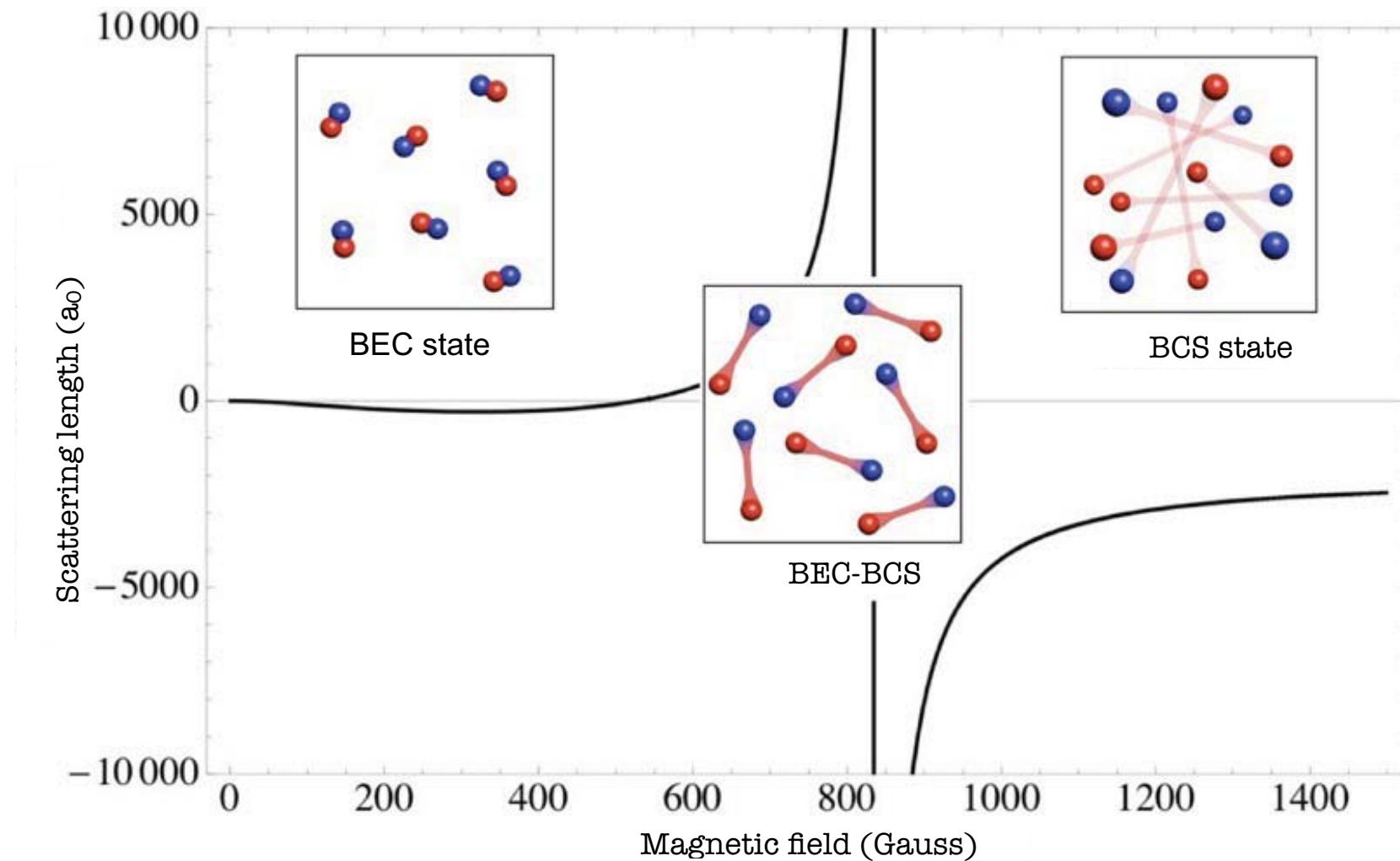
System	$T_c$	$T_F$	$T_c/T_F$
Metallic lithium at ambient pressure [110]	0.4 mK	55 000 K	$10^{-8}$
Metallic superconductors (typical)	10 K	100 000 K	$10^{-4}$
$^3\text{He}$	2.6 mK	5 K	$5 \times 10^{-4}$
$\text{MgB}_2$	39 K	6 000 K	$10^{-2}$
High- $T_c$ superconductors	100 K	5000 K	$2 \times 10^{-2}$
Neutron stars	$10^{10}$ K	$10^{11}$ K	$10^{-1}$
Strongly interacting atomic Fermi gases	170 nK	1 $\mu$ K	0.17

The **coldest** (nK) fermions in the universe but million times *thinner* ( $10^{13} \text{ cm}^{-3}$ ) than air

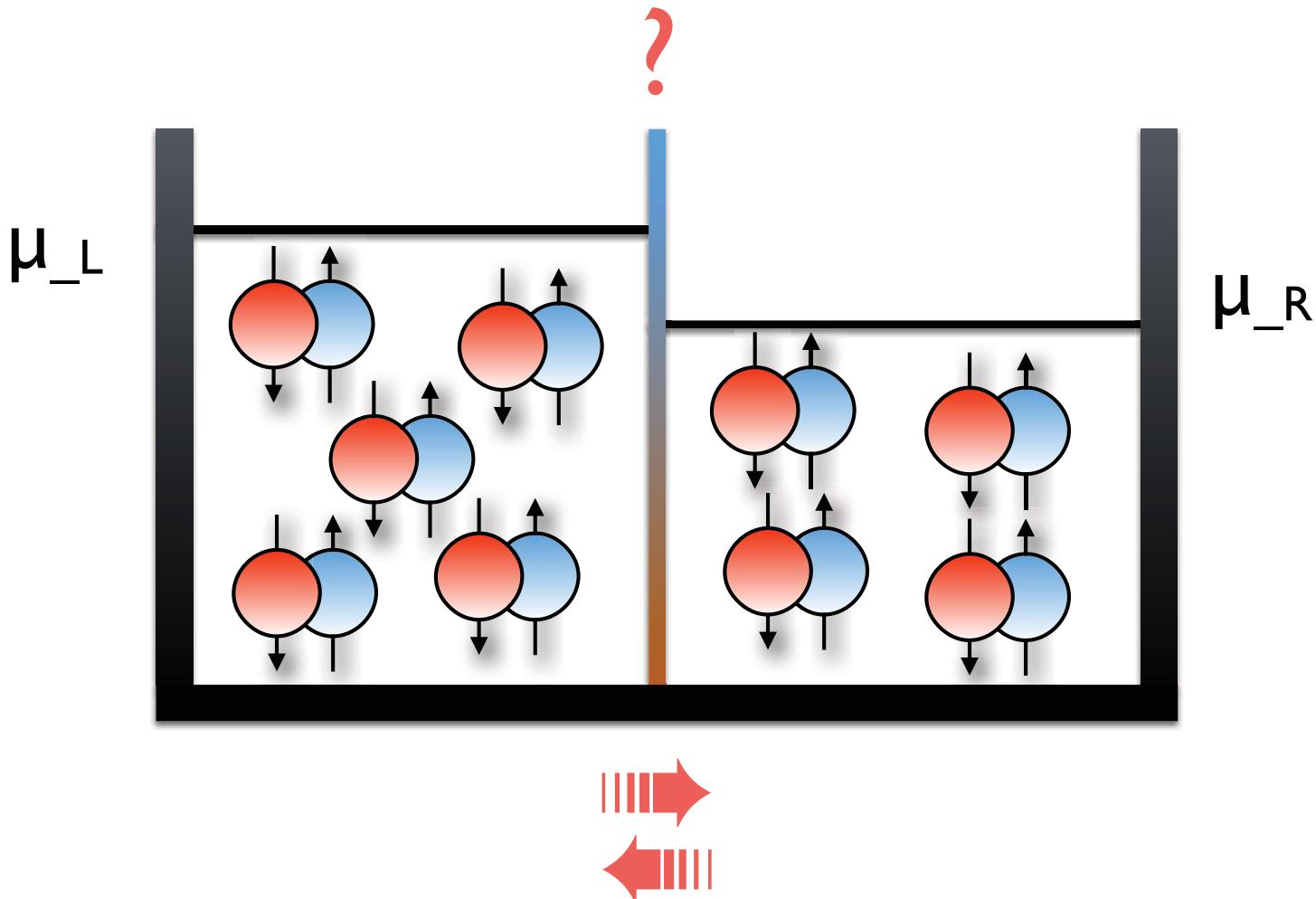
How ?



# How ?



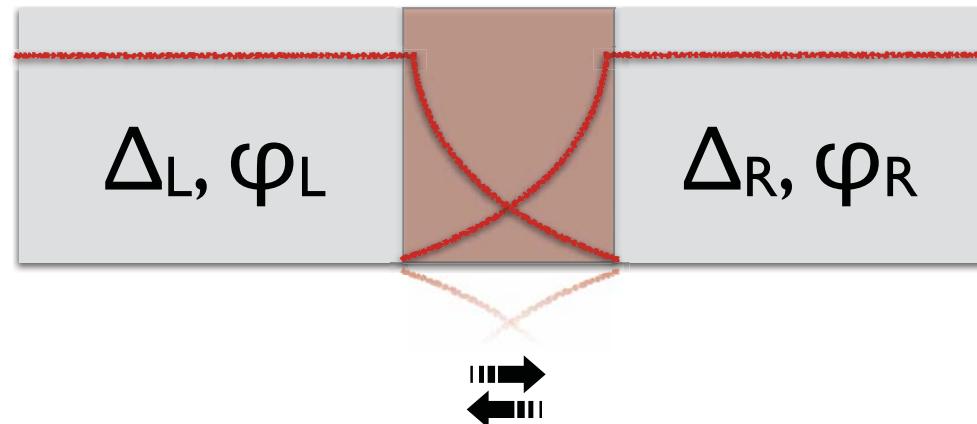
## SCENARIO #1: fermionic pairs (*coherent*) tunneling



i.e. ...

# The Josephson effect (I)

B. D. Josephson, Phys. Lett. **1**, 251 (1962)



$$I_J = I_c \times \sin(\varphi_L - \varphi_R)$$

$$I_J = I_c \times \sin(\Delta\mu/\hbar \times t)$$

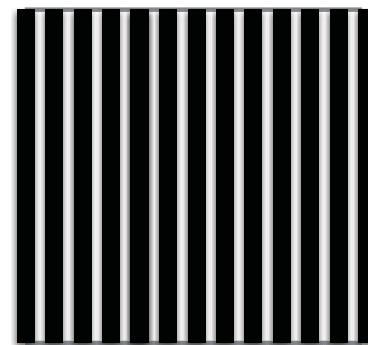
Pristine quantum phenomenon:

Pinning down superfluidity and phase-coherence in one measurement

$\Delta, \varphi$

$\varphi?$

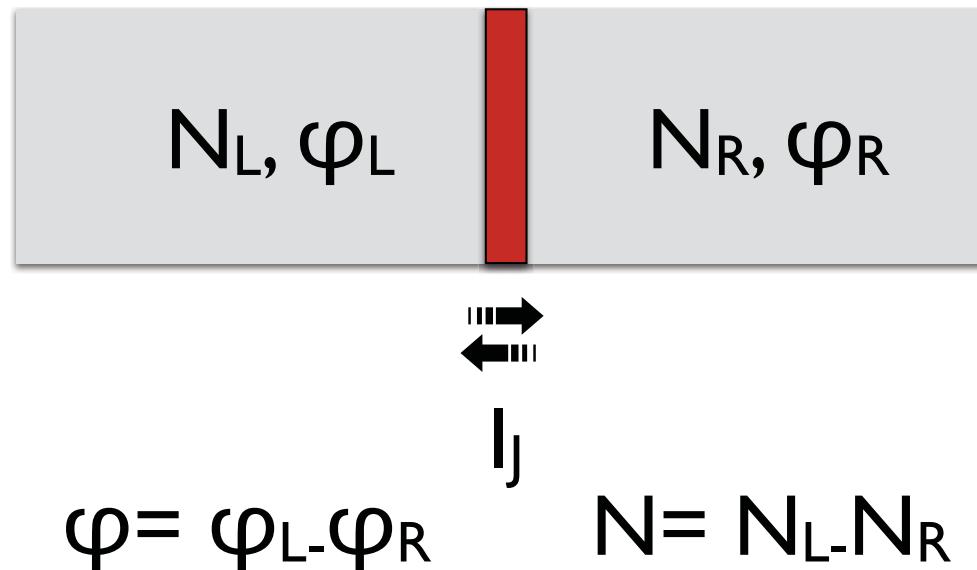
$\Delta_L, \varphi_L$        $\Delta_R, \varphi_R$



$$\sim \Delta_L^* \Delta_R \times \cos(\varphi_L - \varphi_R)$$

# The Josephson effect (II)

B. D. Josephson, Phys. Lett. **1**, 251 (1962)



$$\Delta N \Delta \varphi \sim I$$

$\varphi, N$ : conjugate quantum variables:

**Essential parameters**

# WHY Josephson dynamics in crossover SF?

Never studied...

**Josephson effect: tunneling across the insulating barrier:**

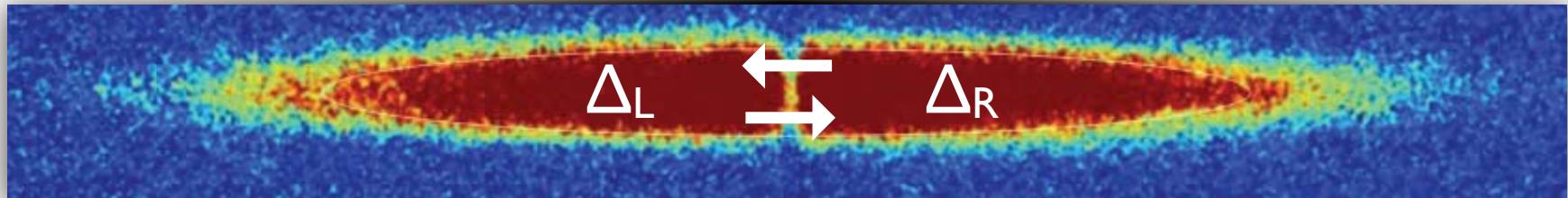
$$E_J \sim \Delta_L \Delta_R / (\Delta_L + \Delta_R) \times \cos(\varphi_L - \varphi_R)$$

- Distinguishing the composite fermionic nature of the **condensed** tunnelling particles
- Probing the excitation spectra of the superfluid/superconductor

Ideal probe of the peculiar-nature of crossover superfluid

An optical thin barrier (**light**) & superfluid **atomic** Fermi gases:

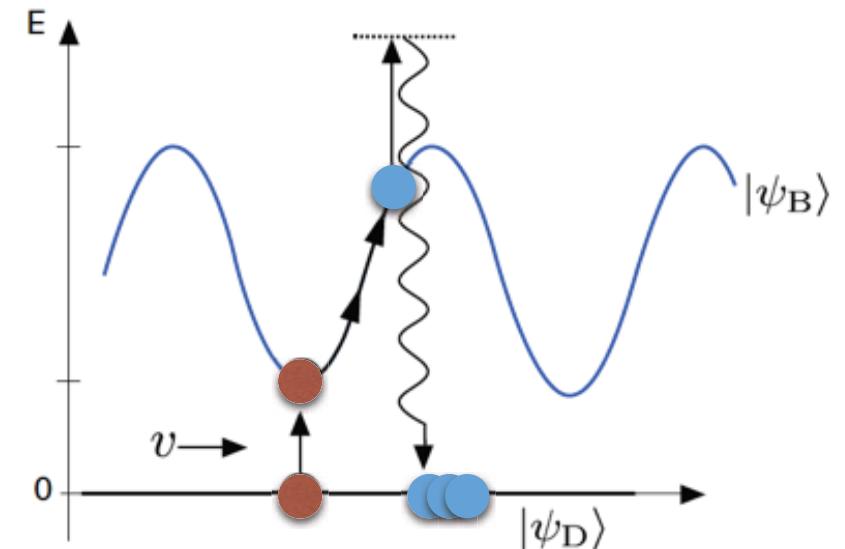
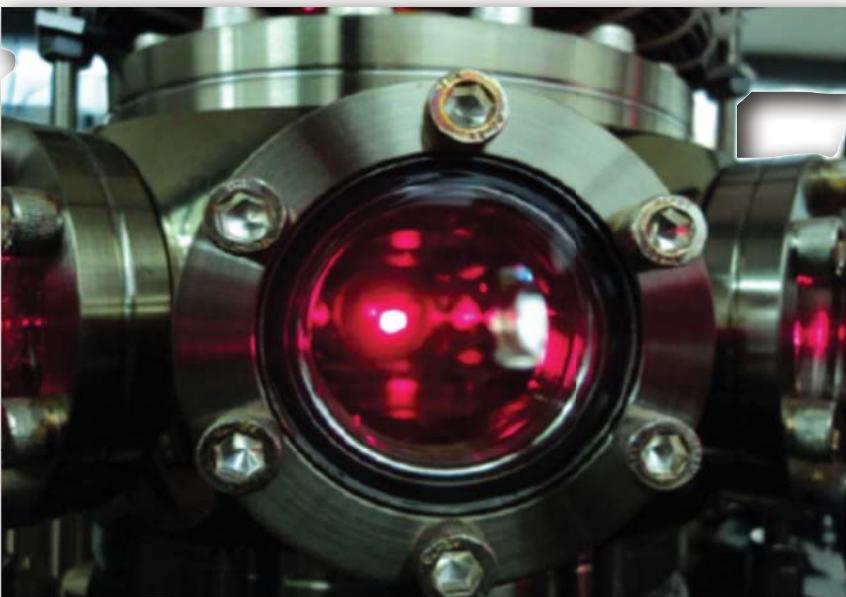
„Synthetic” Josephson junctions



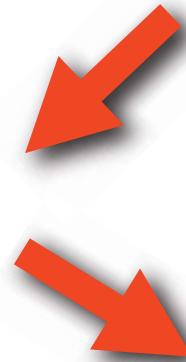
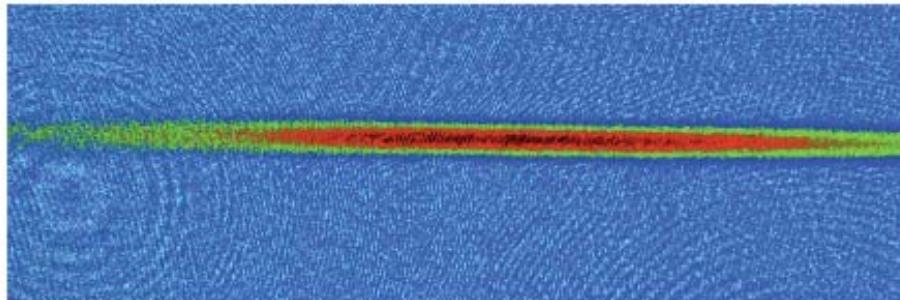
$$\Delta = |\Delta| e^{i\varphi}$$

phase coherence ( $\varphi$ )  $\Leftrightarrow$  order parameter ( $\Delta$ )

# Our all-optical scheme

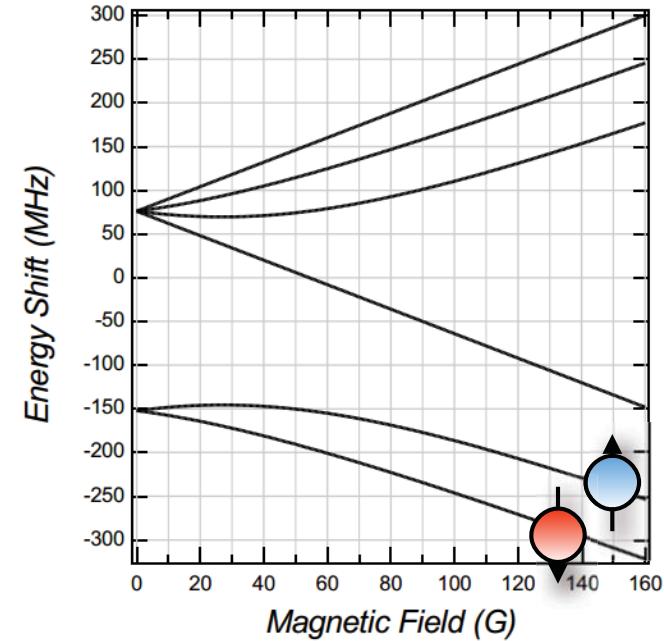


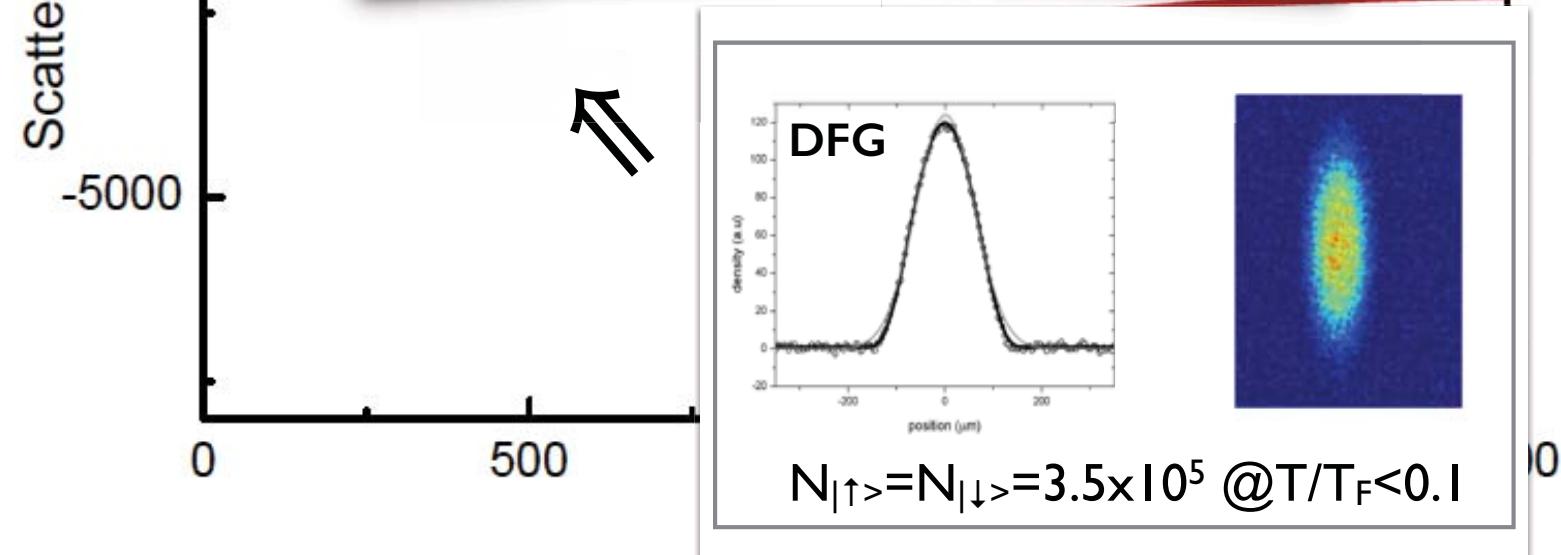
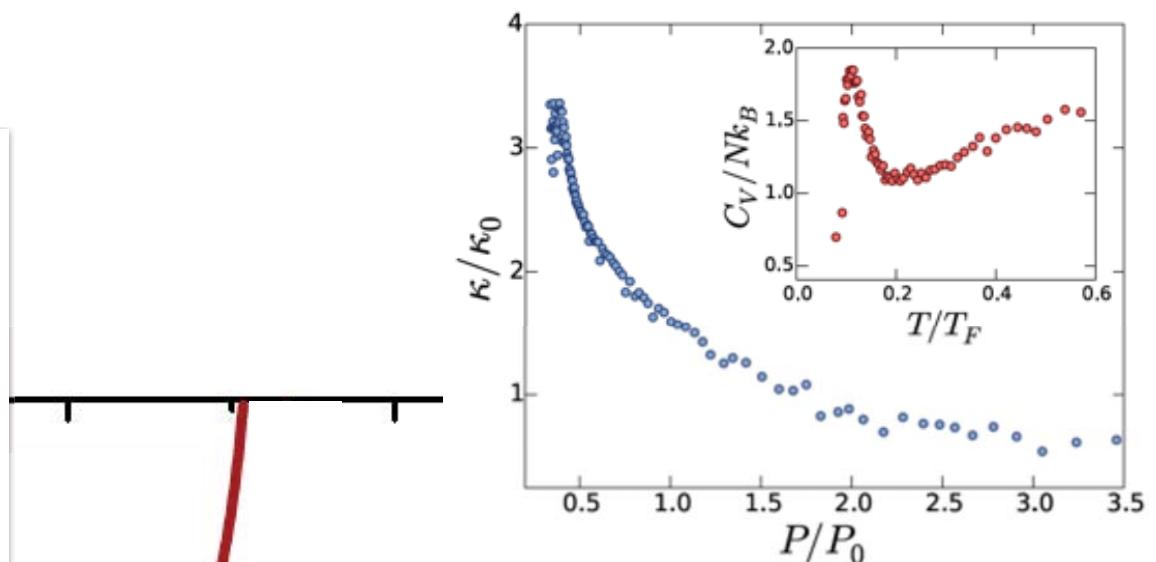
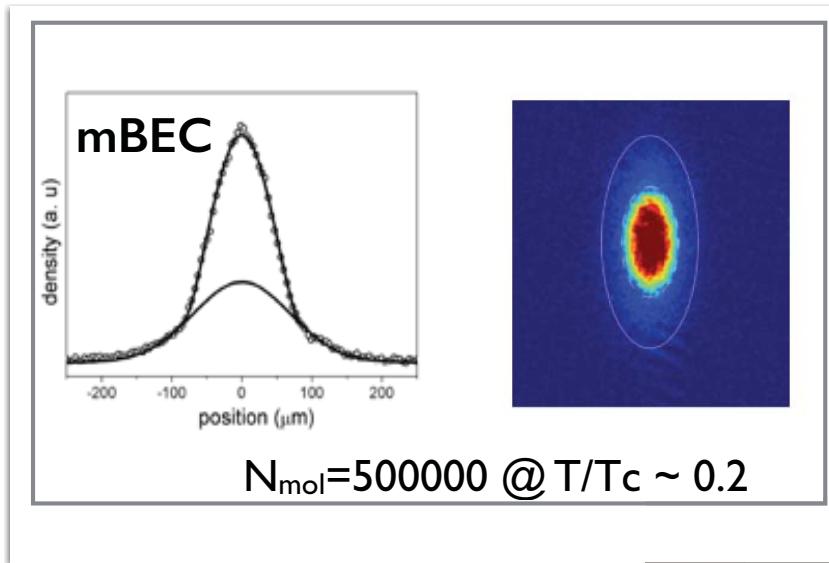
DI molasses:  $10^8$  @ $40\mu\text{K}$

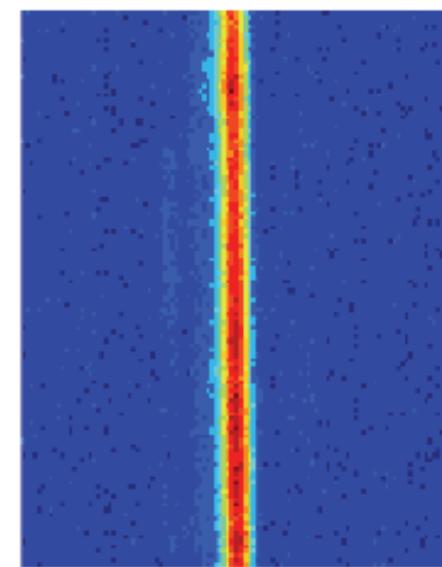
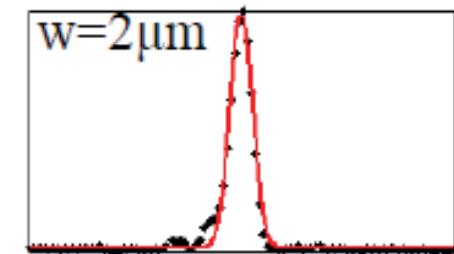
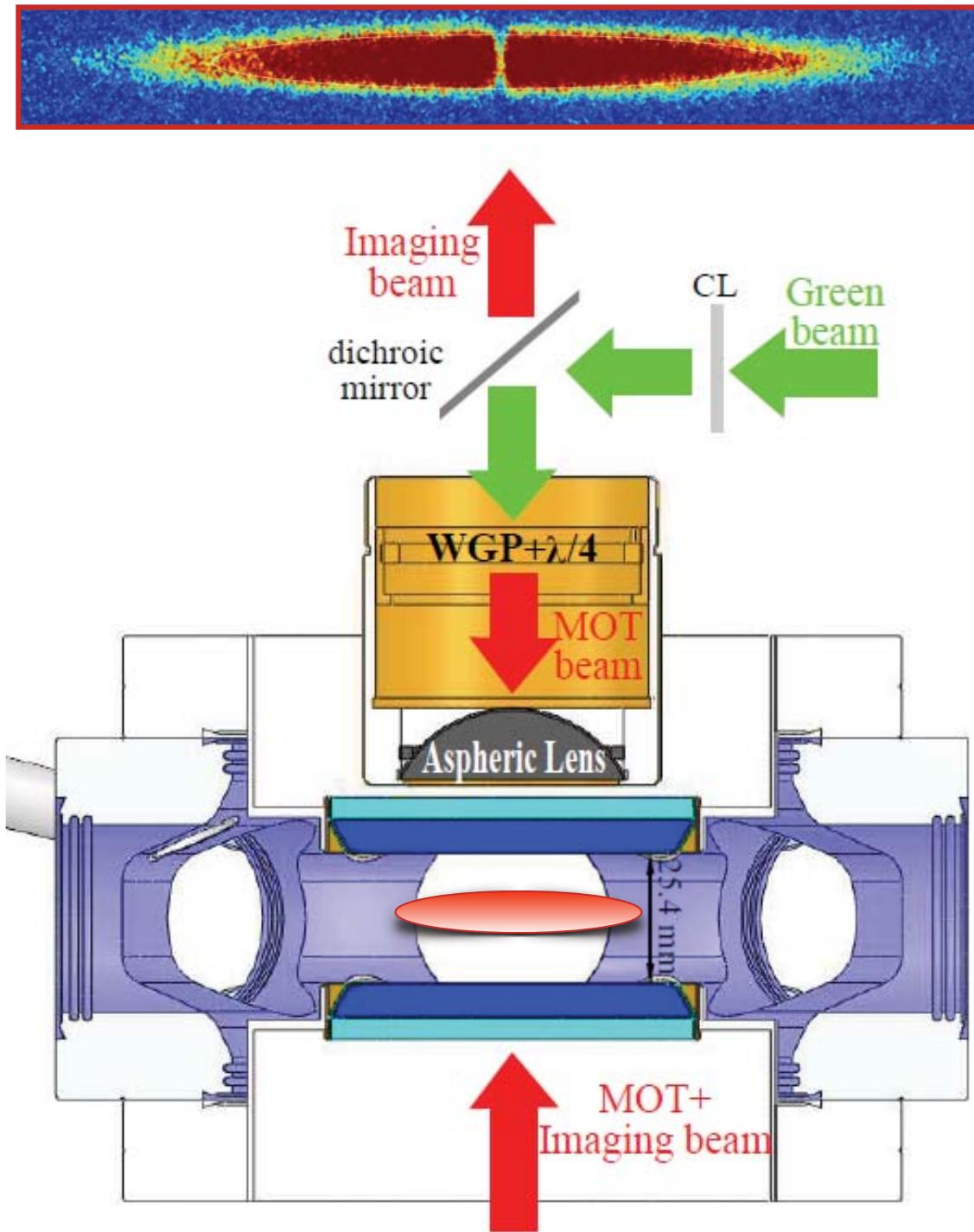


Single beam optical dipole trap

$N \sim 10^7$  atoms in  $F = 1/2$  manyfold

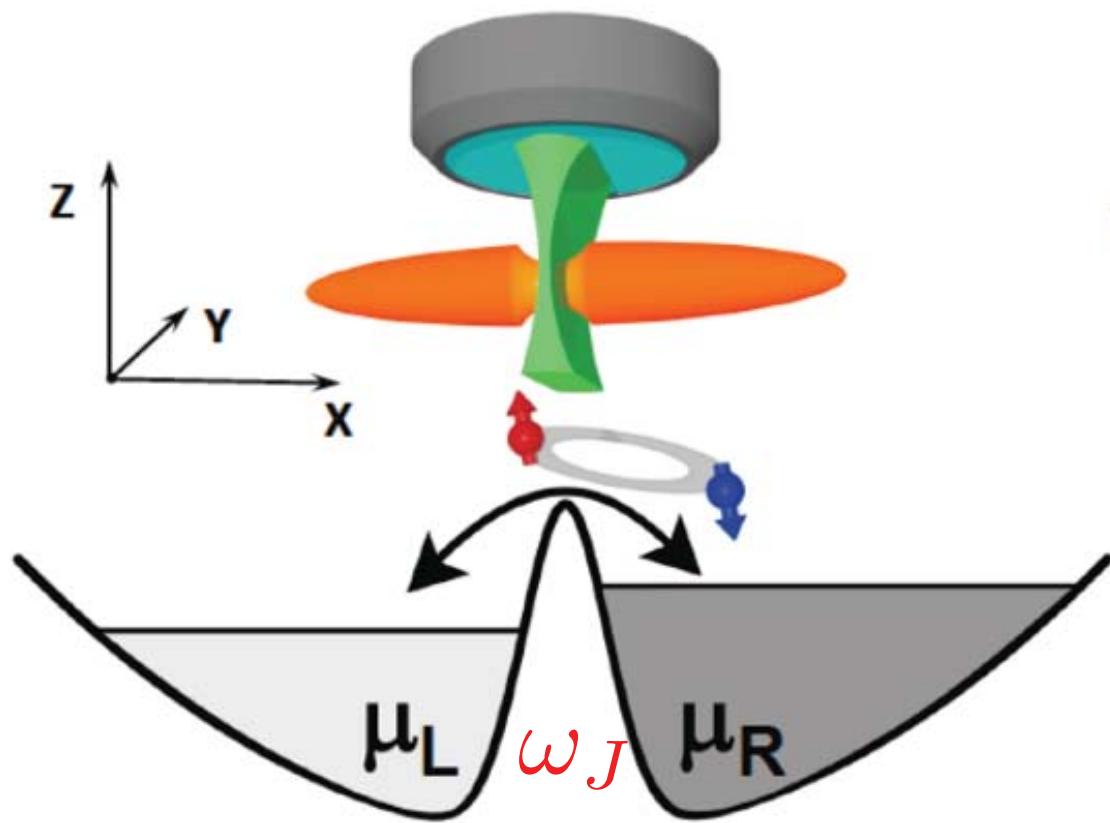






Imaging resolution  
at 670 nm: 1.4  $\mu$ m

# The observables



## The relevant energy scales

$$\omega_J = \frac{1}{\hbar} \sqrt{E_C E_J}$$

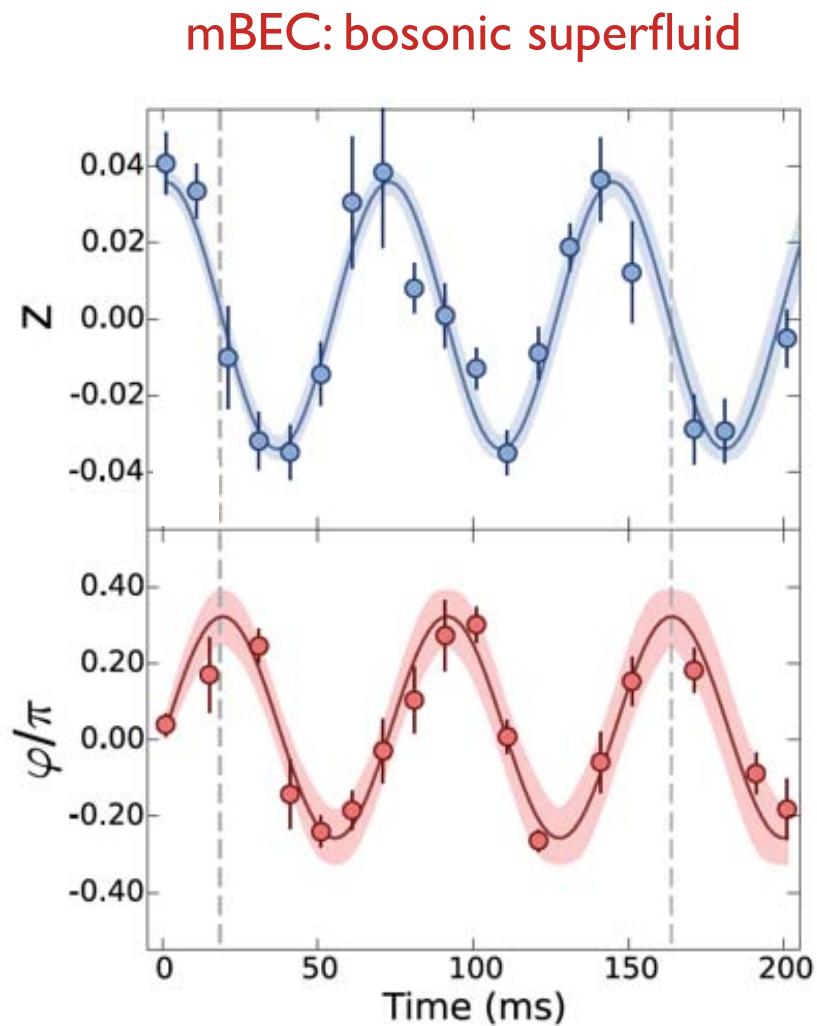
$E_C$  = Charging energy: localization energy “against” tunneling

$E_J$  = Josephson coupling energy: connection superfluids phases

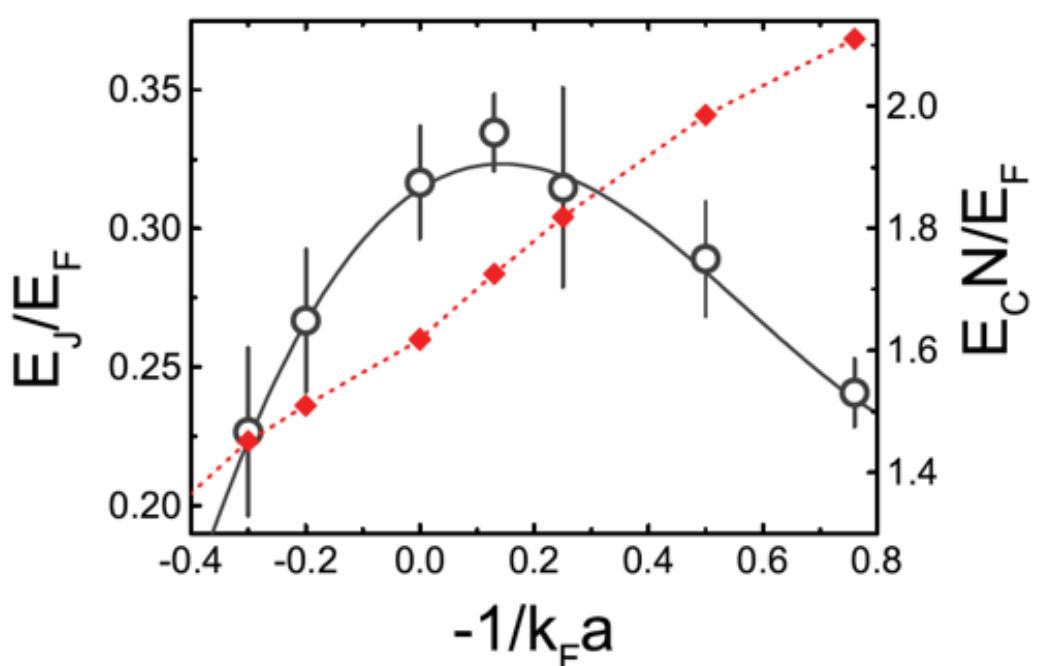
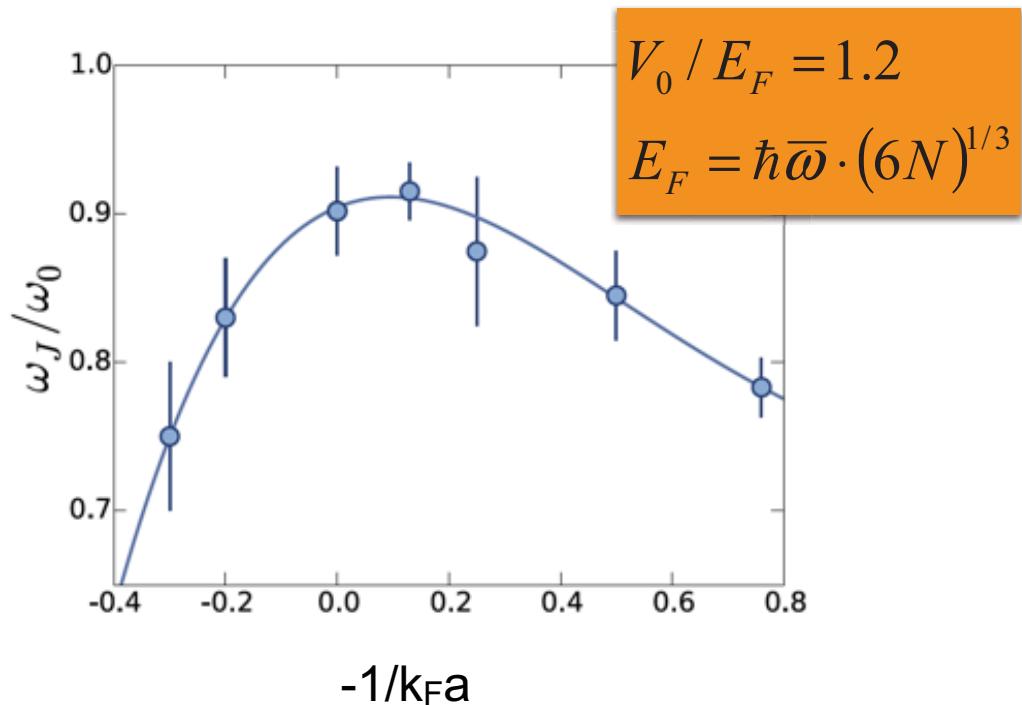
$E_J > k_B T$  Phase coherence wins against thermal fluctuations

$E_J > E_C$  Phase coherence exists between the 2 superfluids

$z_0 = 3\% \text{ & } V_0/E_F = 1.2$



Conjugate dynamics (shift  $\pi/2$ ) of  $z \sim N_L - N_R$  and  $\varphi = \varphi_L - \varphi_R$



$$\omega_J = \sqrt{E_C E_J}$$

$$E_c \approx \frac{\partial \mu}{\partial n}$$

$$\Rightarrow E_J = \frac{\omega_J^2}{E_C}$$

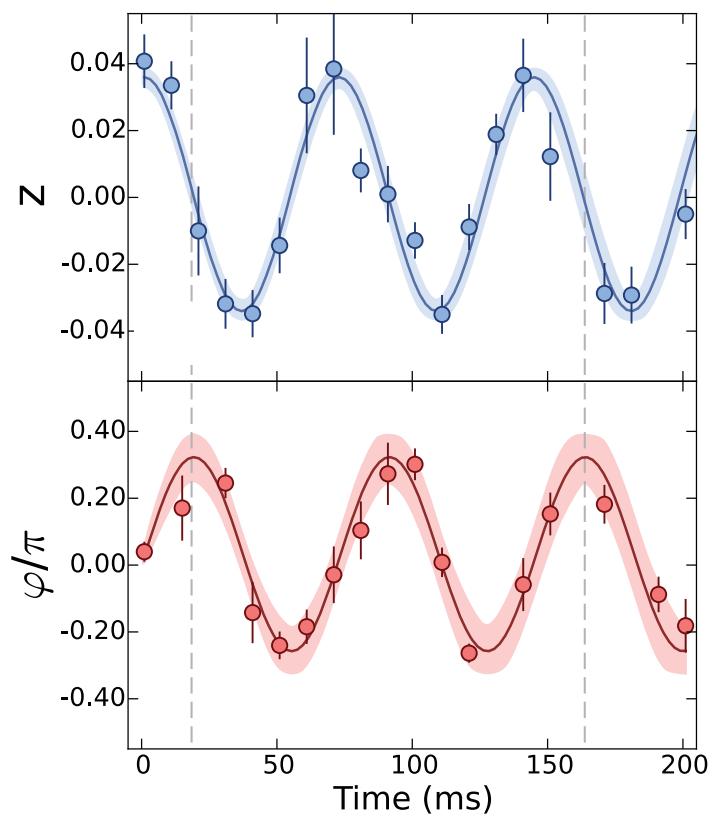
$$K = K(\mu, V_0, w)$$

$$E_J \approx K \cdot N_0$$

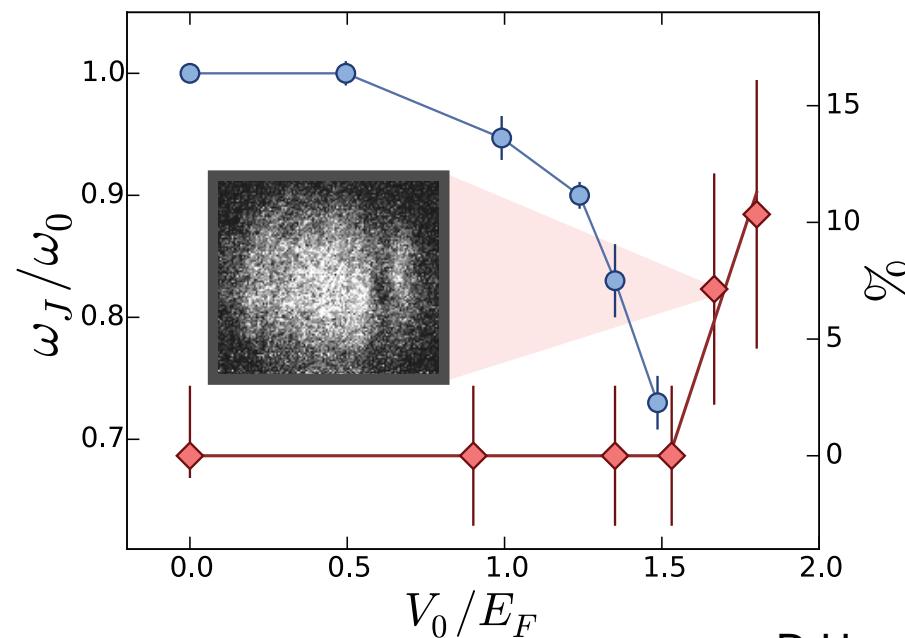
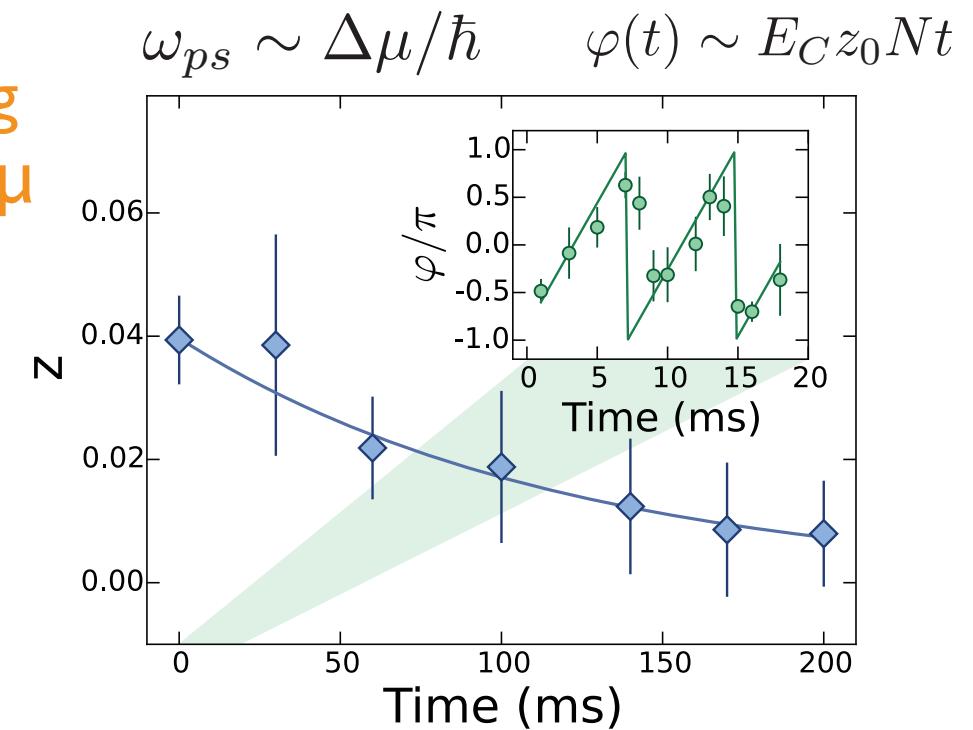
$$BEC : N_0 = N$$

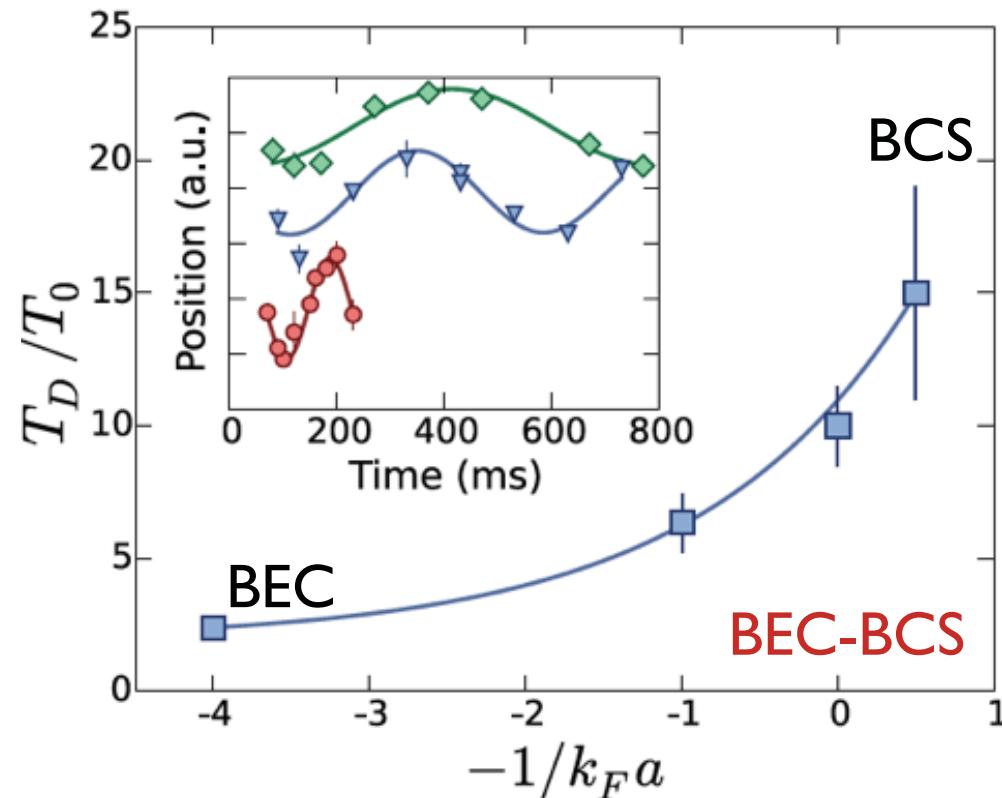
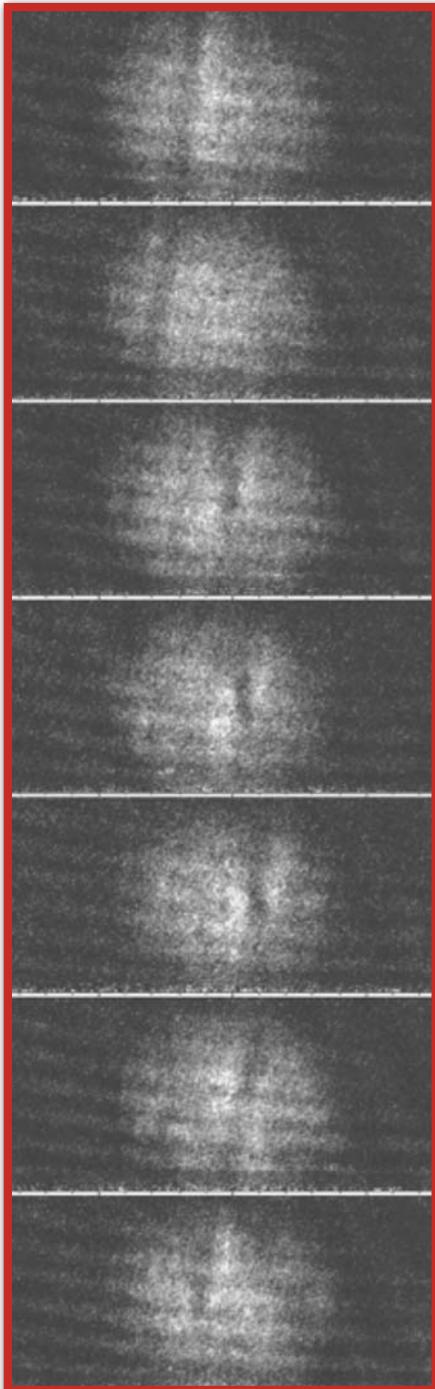
$$BCS : N_0 / N \propto \frac{\Delta}{E_F}$$

Ambegaokar-Baratoff @ T=0

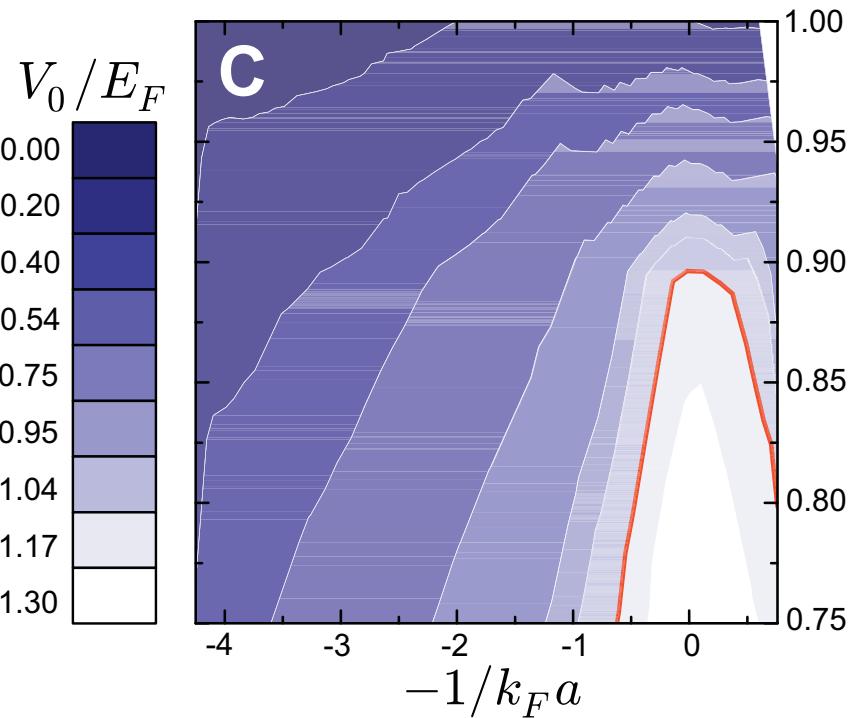


Increasing  
 $\Delta\mu$  or  $V_0/\mu$





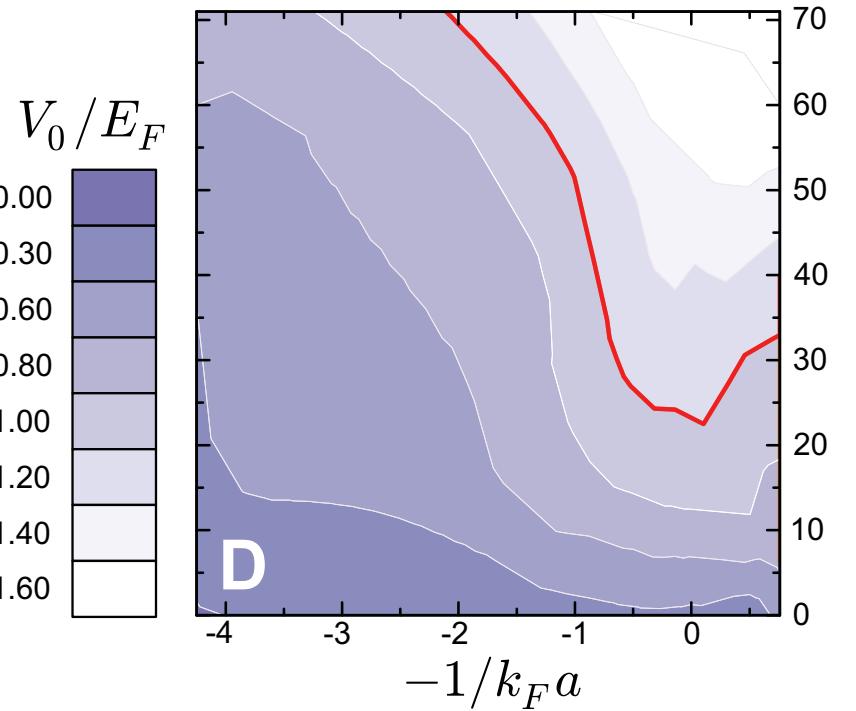
Similar to soliton vortices observed in fermionic superfluids via phase-imprinting and in BEC via KZ mechanism.



$z_0=3\%$

$\omega_J/\omega_0$

$-1/k_F a$



$z_0=12\%$

$V_0/E_F=1.2$

%

0

10

20

30

40

50

60

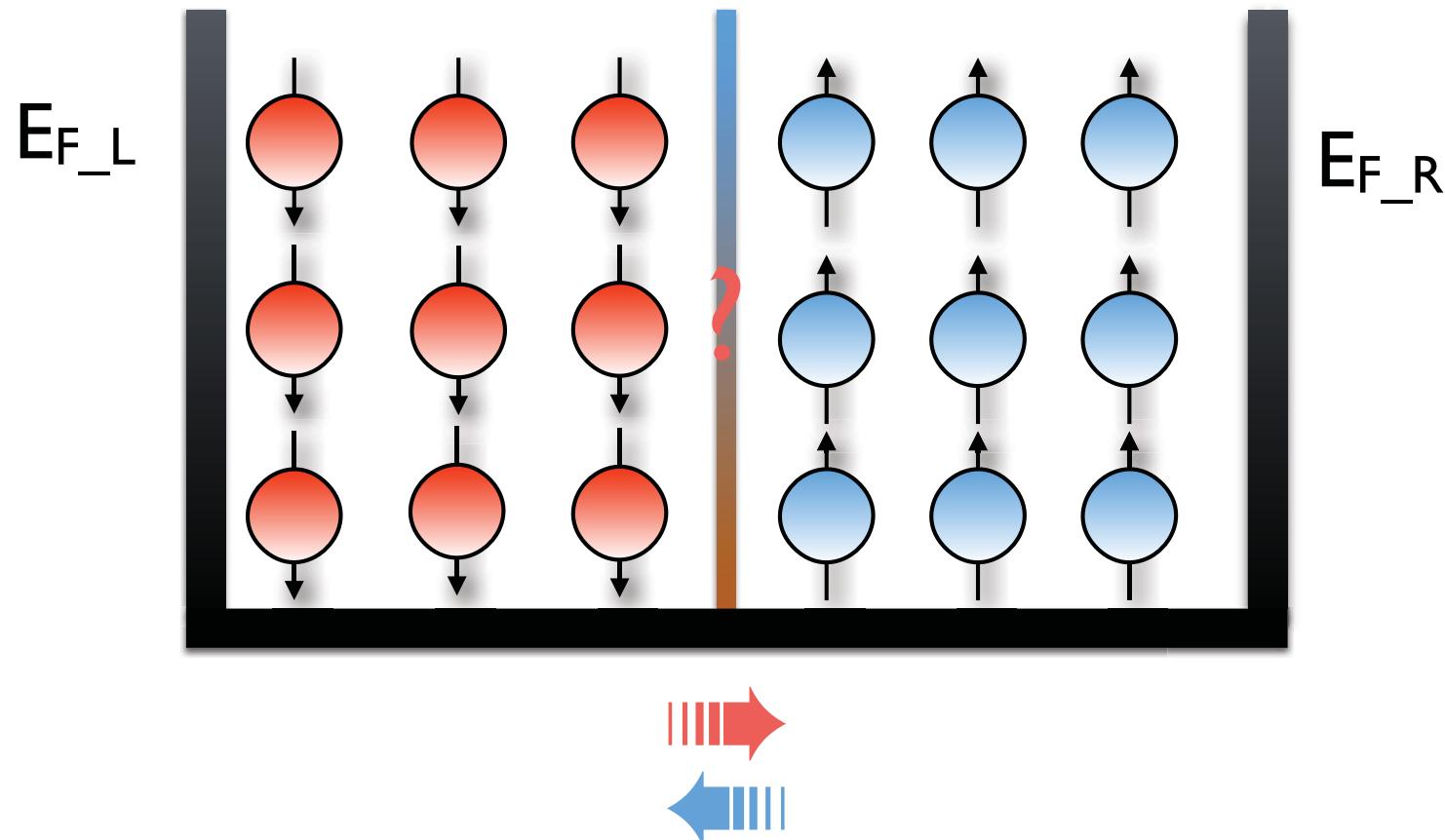
70

D

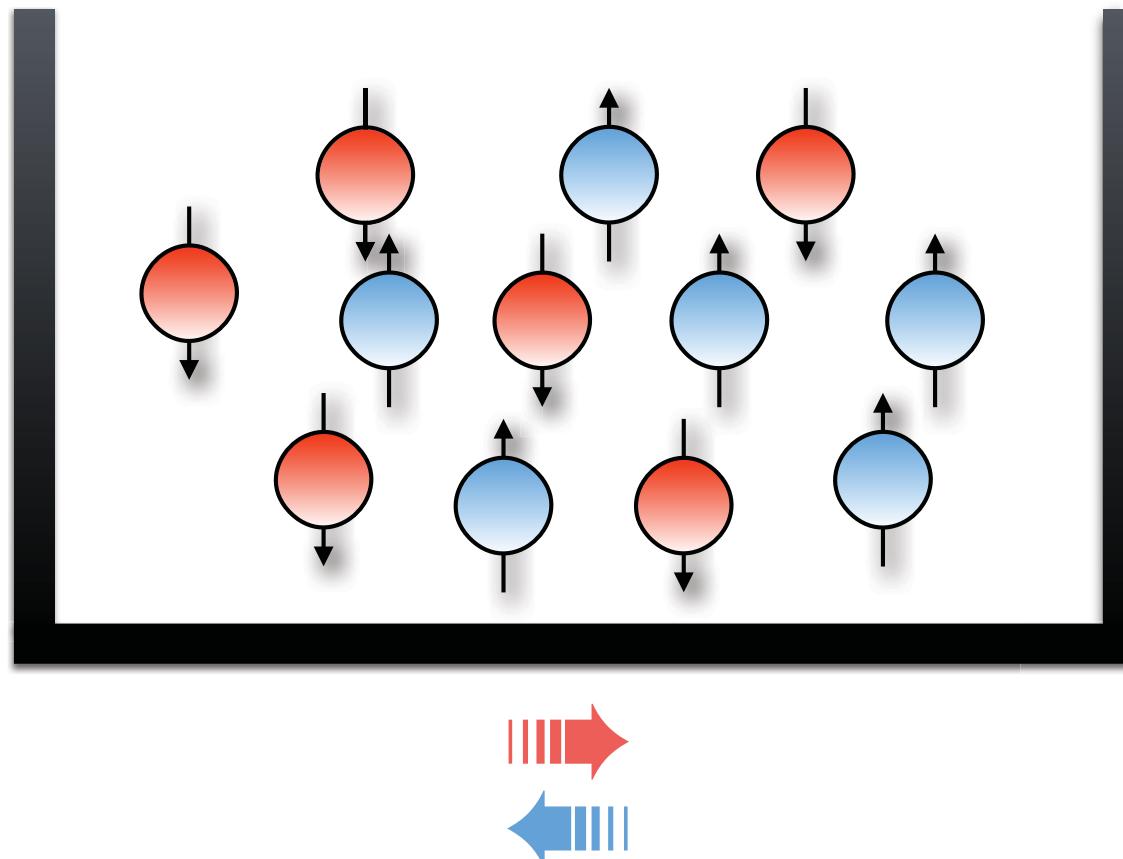
$-1/k_F a$

Reluctance of the  
crossover SF to  
vortices formation

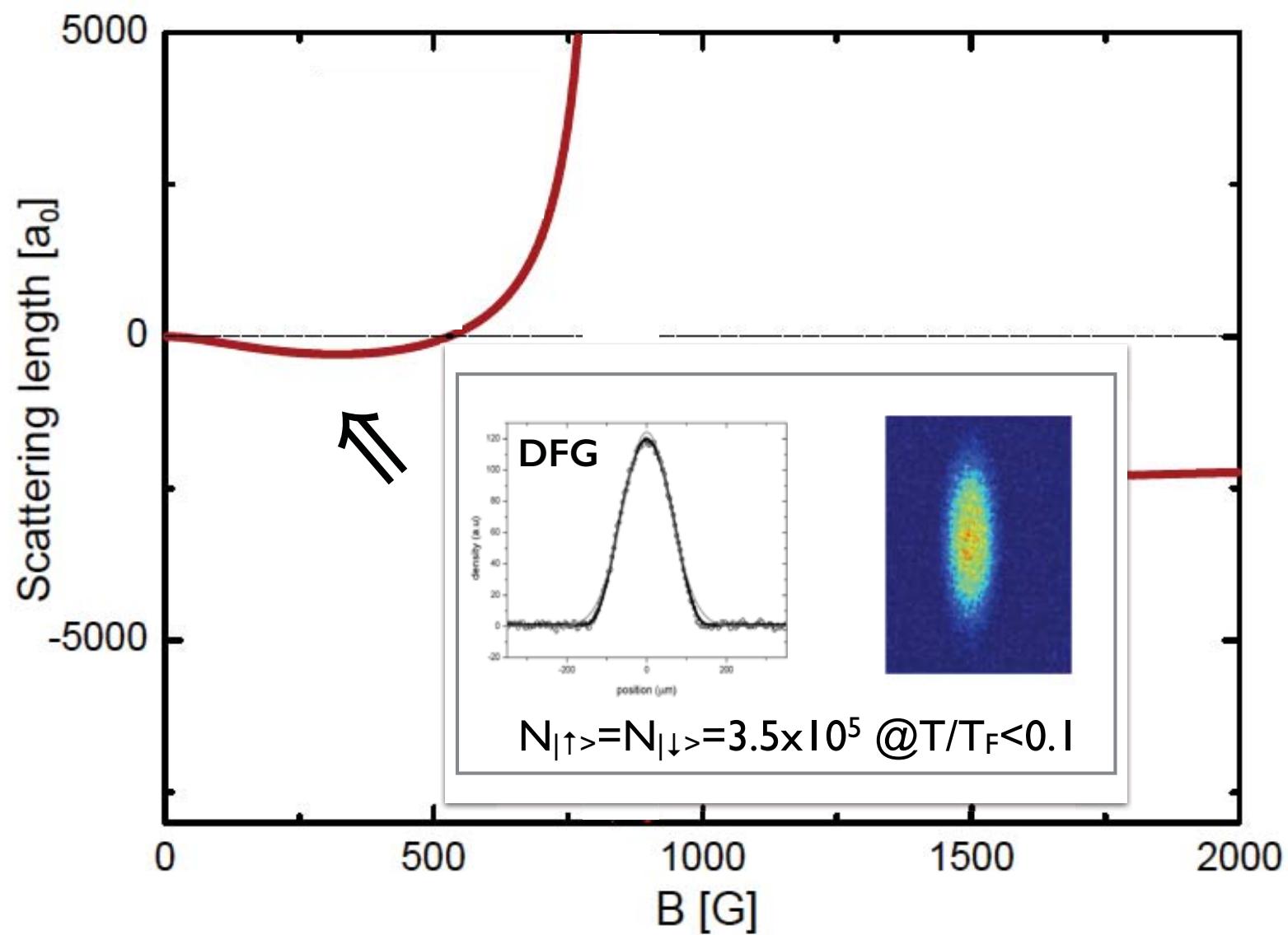
## SCENARIO #2: spin diffusion with resonant interactions



## SCENARIO #2: spin diffusion with resonant interactions

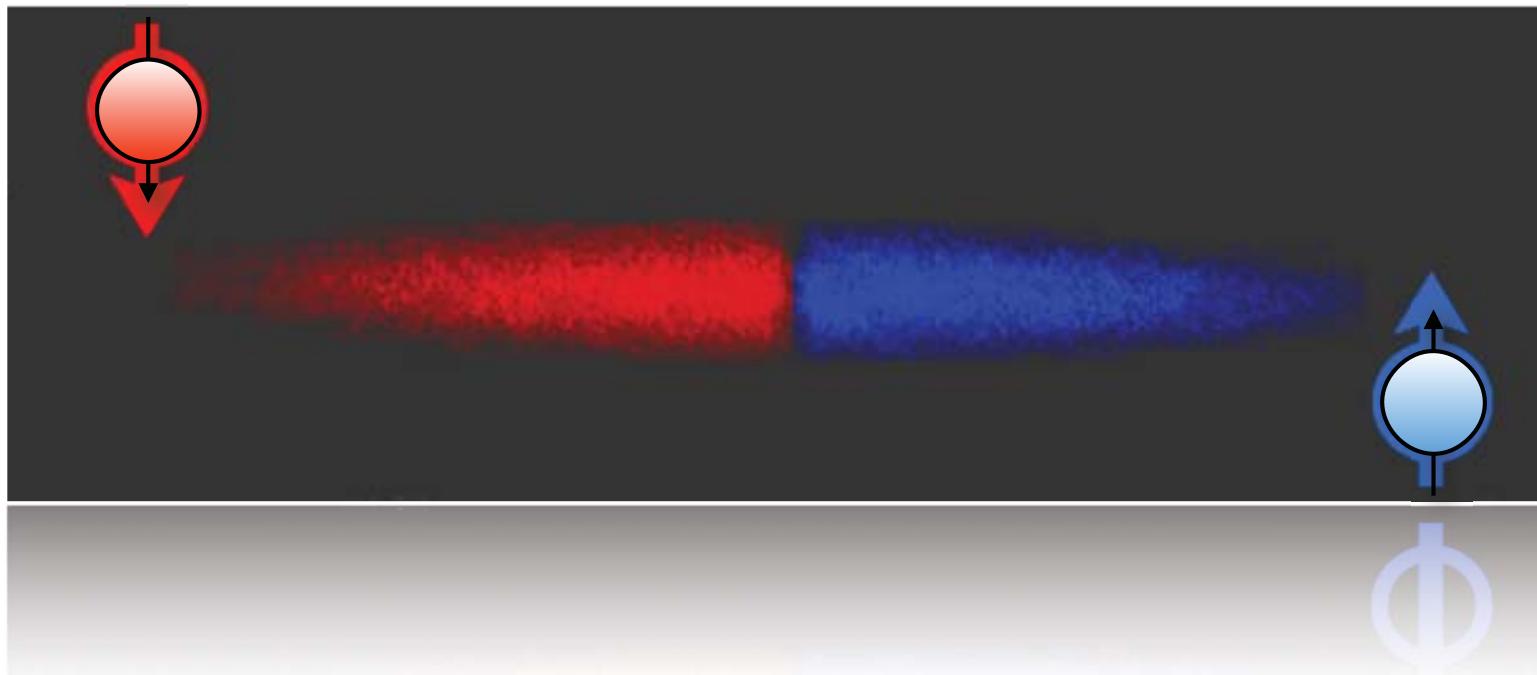


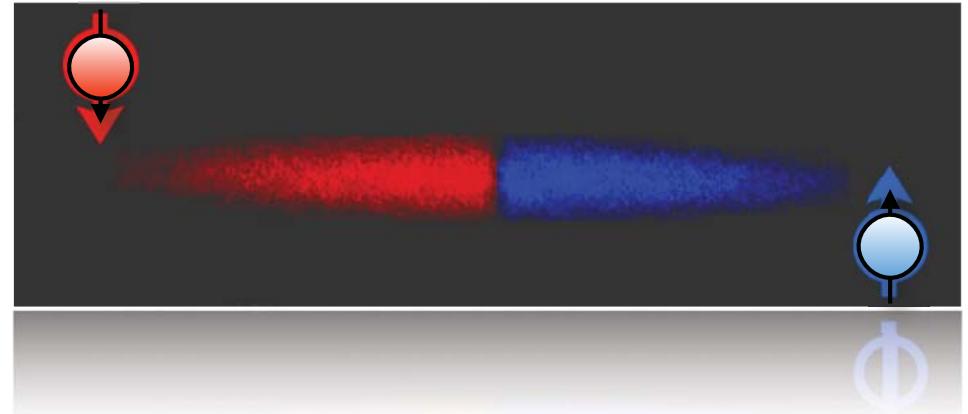
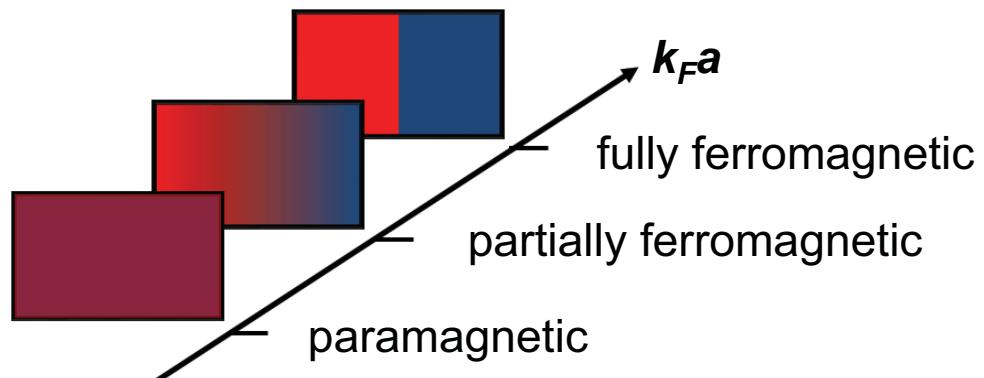
to a paramagnetic state?



# WORK IN PROGRESS

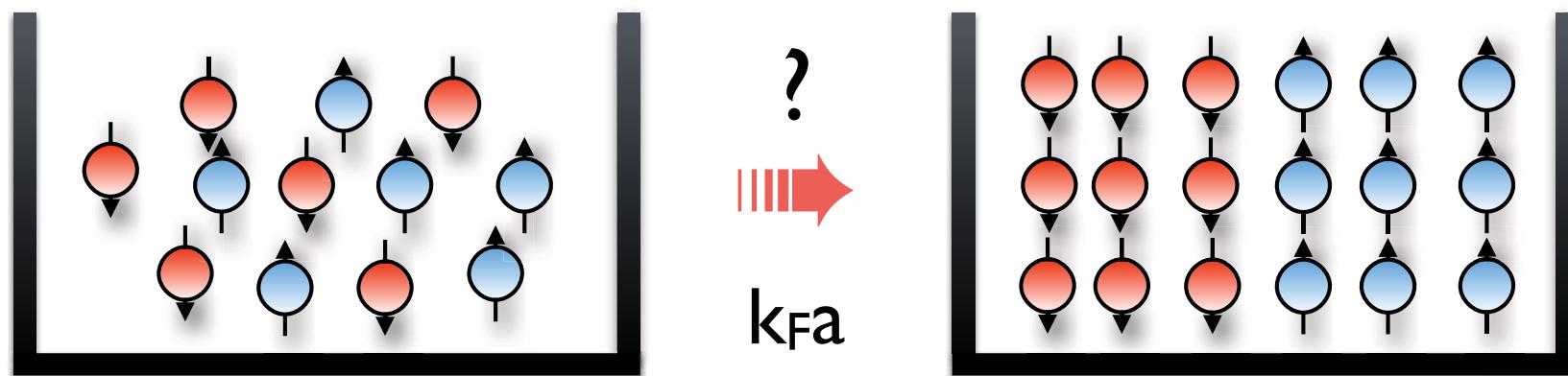
Our initial state:  
an “artificial” ferromagnet





Short-range **repulsion**: kinetic vs interaction energies:

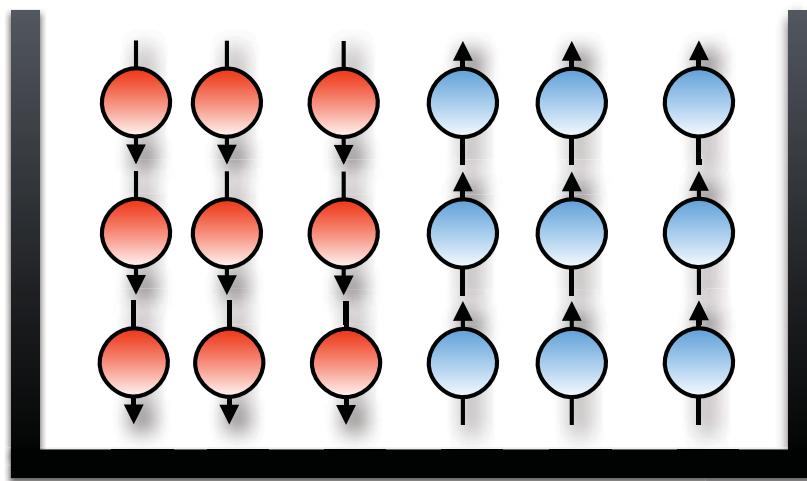
## I. minimal model for magnetism of delocalised fermions (Stoner '33)



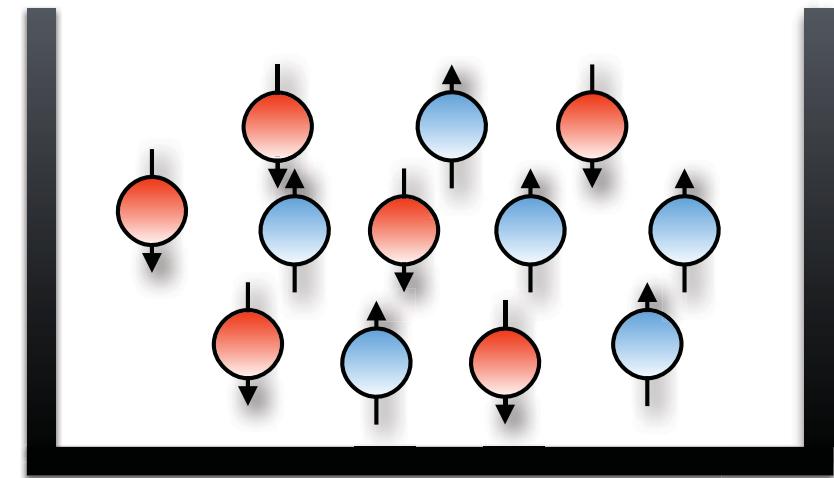
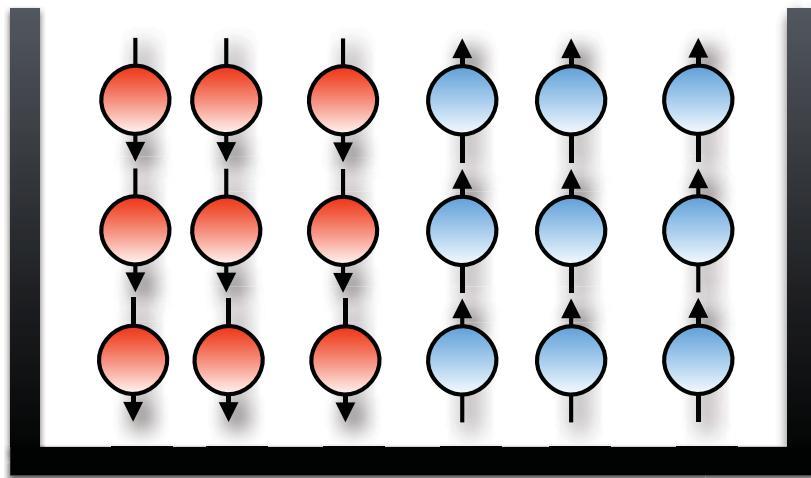
G.-B. Jo et al, Science, 325, 1521 (2009)

Short-range **interactions**: kinetic vs interaction energies:

## 2. textbook spintronic experiments with controllable spins

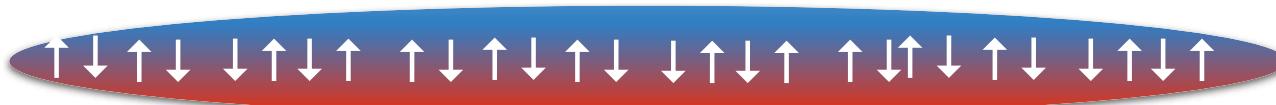


?

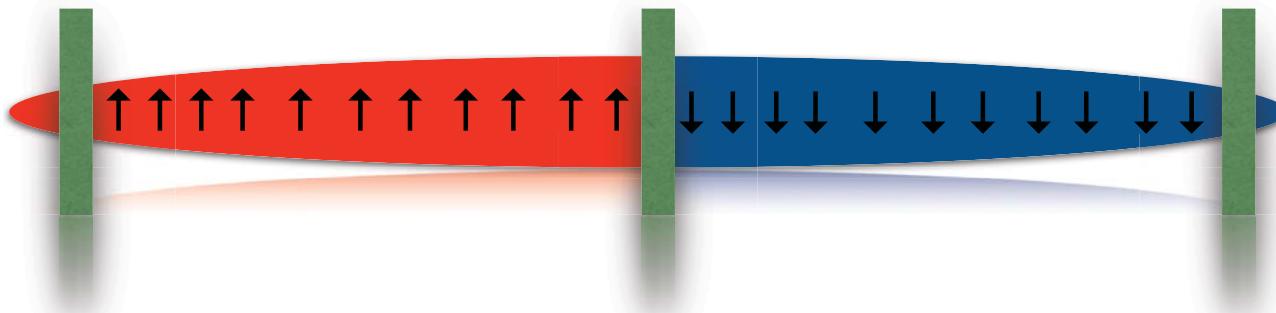


# Sample preparation

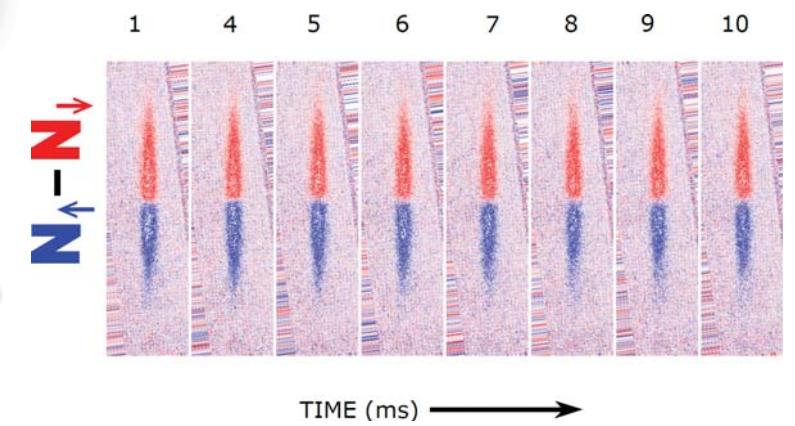
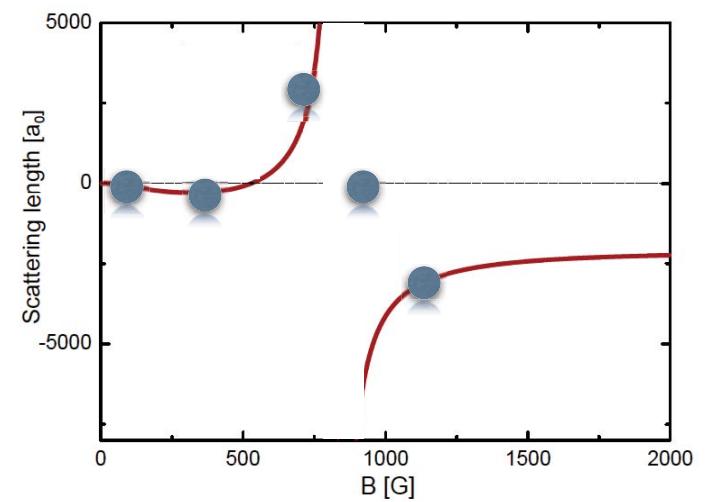
Starting point. Paramagnetic state: degenerate Fermi gases



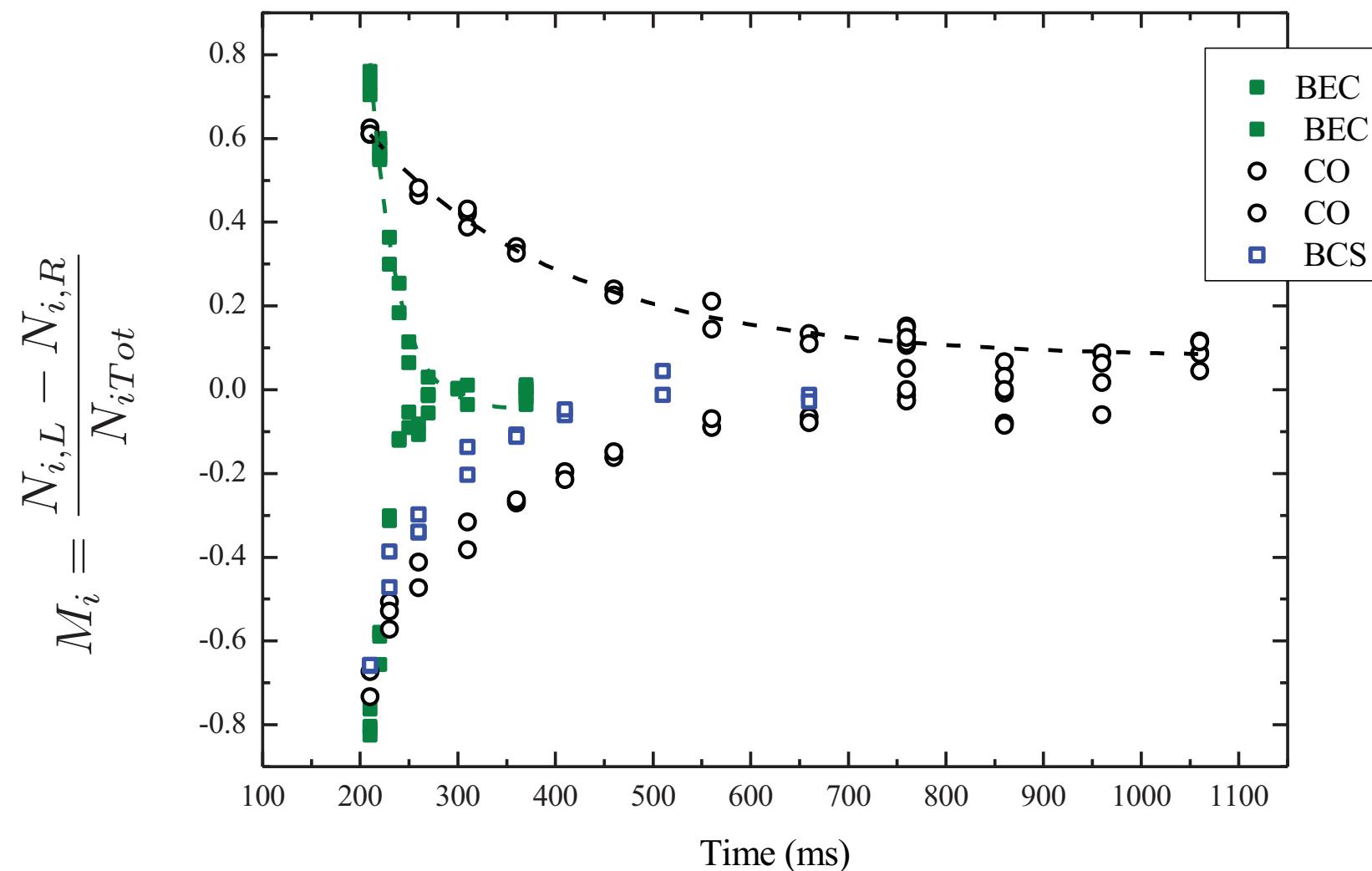
Magnetic field gradient at 2 G



Dynamics across the BEC-BCS crossover

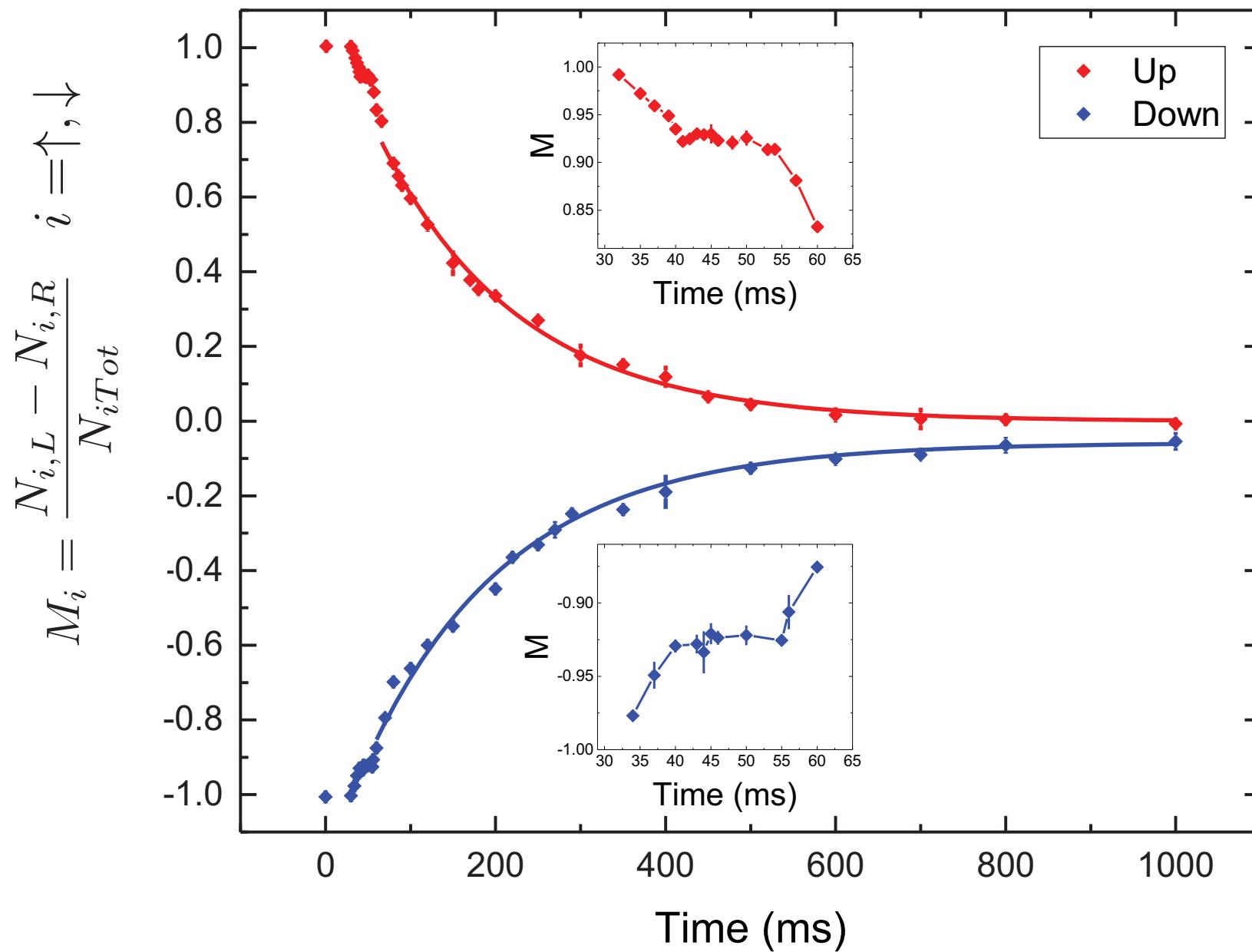


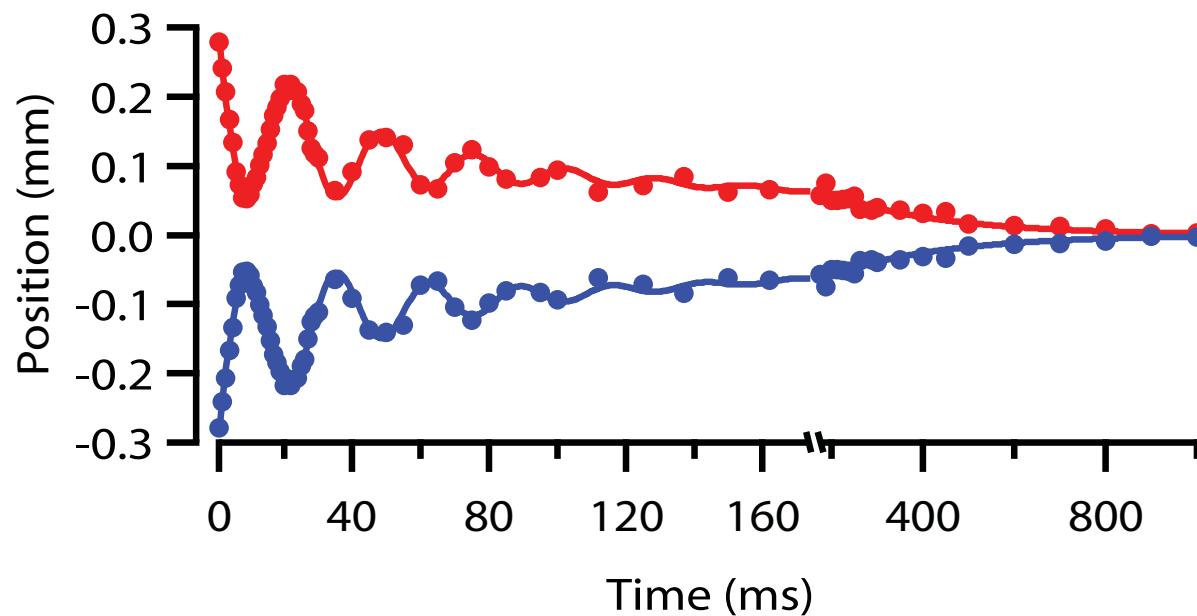
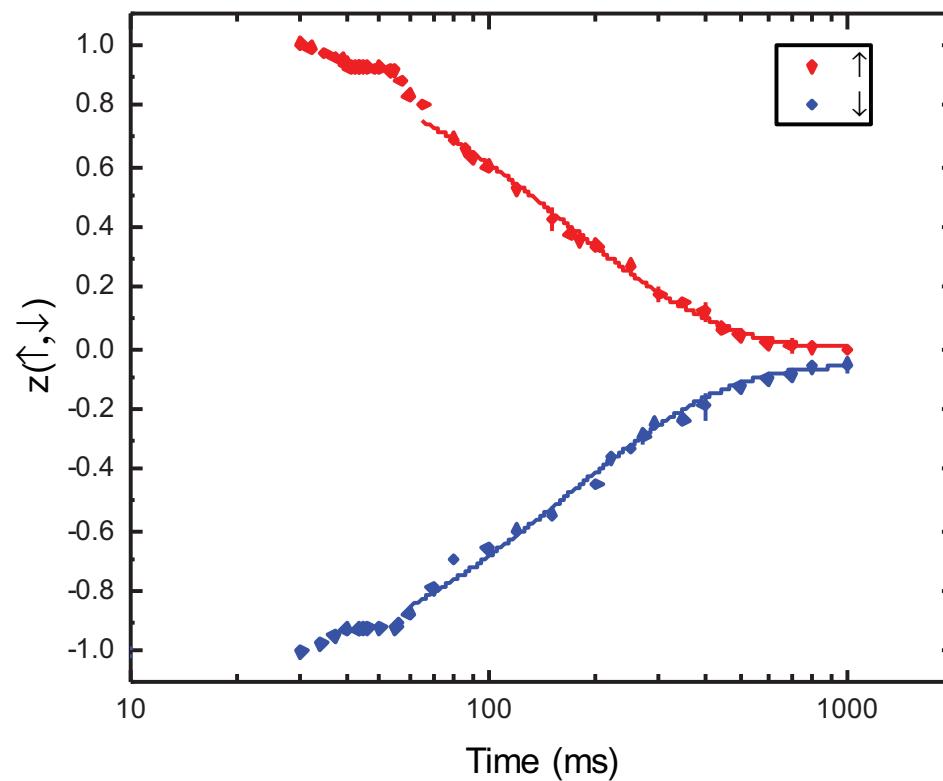
$$T/T_F < 0.1$$



$$T/T_F < 0.1$$

$$1/k_F a \sim 0$$

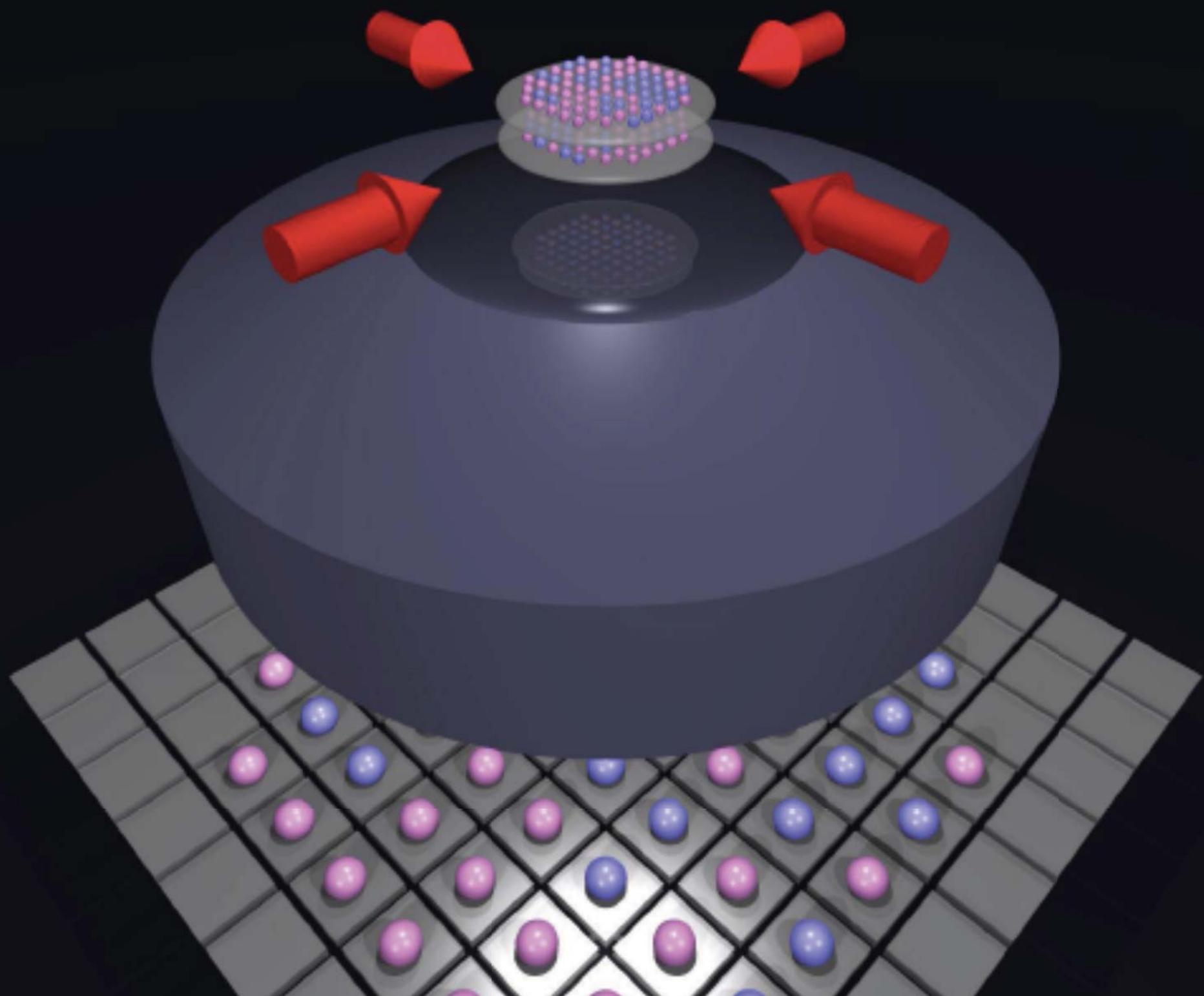




A. Sommer, M. Ku, G. Roati and M. Zwierlein,  
Nature, 427, 201 (2011).

# Conclusions and Perspectives (I)

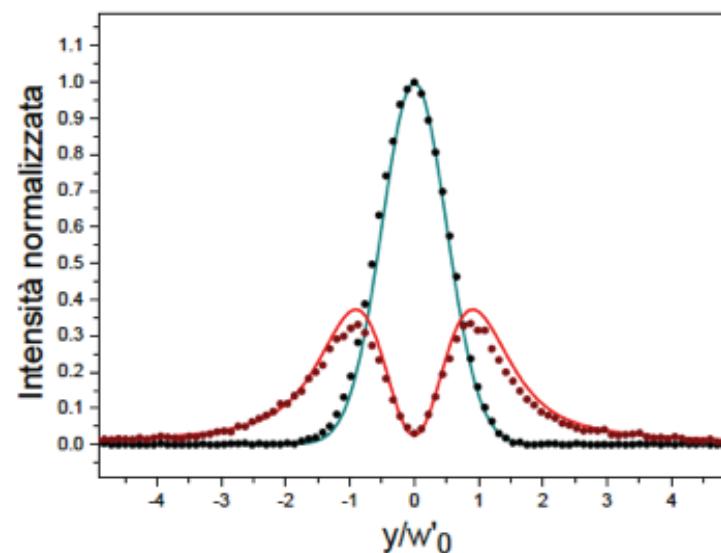
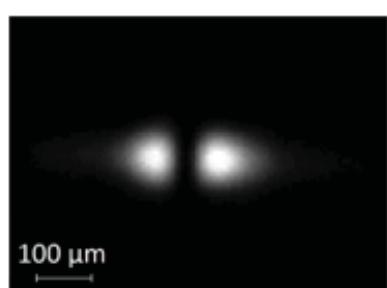
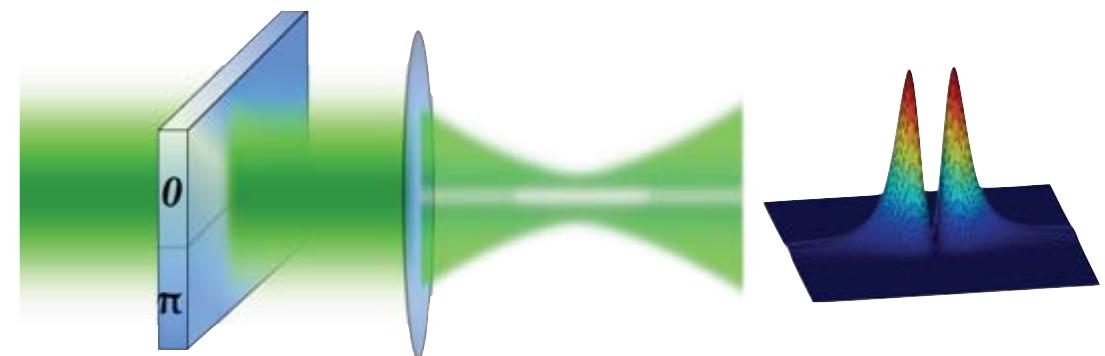
- I. Thin optical barrier on superfluids (& degenerate Fermi gases) across the BEC-BCS crossover: interesting platform to study superfluidity and spin diffusion...
2. Coherent and dissipative dynamics: bosonic SF and fermionic SF
3. Spin-diffusion: anomalous (relevant) behavior?
4. Role of vortices in quenching coherent dynamics.
5. Tunneling of... vortices through the barrier: interesting or simply foolish ?
6. Ferromagnetic state (Stoner model): metastability (polaron physics) ??



# How to reach the 2D regime (Florence approach)?

$$\hbar\omega_z \gg k_B T, E_F$$

Holographic phase-plate: TEM<sub>01</sub> laser mode: single layer.



A. Amico, Master Thesis (2012)

## QuFerm2D (2012/2017)



### Post Doc



A. Burchianti



F. Scazza



G. Roati (PI)

In collaboration with:



M. Inguscio



M. Zaccanti



A. Smerzi group theory

### PhD



A. Amico

### PhD



G. Valtolina

### PhD



E. Neri

PhD. Proukakis



K. Xhani

IFUNAM



J. A. Seman

Esslinger group



A. Morales