

UNIVERSITÀ DEGLI STUDI DI SALERNO

Dipartimento di Fisica E.R. Caianiello

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Scanning Probe Microscopy studies of magnetically and electrically coupled Superconductor/Ferromagnet systems

### SPnM Laboratory Scanning Probe Microscopy and nano-Matter



Dipartimento di

Dipartimento di Fisica E.R. Caianiello



We are here!



spnm.fisica.unisa.it

### **Facilities at the SPnM Laboratory**



puttering DC equipped with 3 cathodes



Electron-beam gun equipped with 5 crucibles





UHV Atomic Force Microscope/ Scanning Tunneling Microscope

**Room Temperature-**

**Room Temperature UHV - Omicron** 

Room Temperature and Pressure Atomic Force Microscopes.



Low Temperature UHV - Omicron

Cryogenic-UHV Atomic Force Microscope/ Scanning Tunneling Microscope, equipped with 7T out-of-plane superconducting magnet. Base temperature: 5K



### The activities of the SPnM Laboratory

- Study of superconductivity in S/F systems and novel superconductors by means of lowtemperature UHV MFM and STM
- Study of the electric and electro-mechanical properties of thin films and nanostructured semiconductors by means of AFM, KPFM, PFM, C-AFM
- Study of amyloids and their aggregation on DOPC and DOPC/DHA bilayers by means of AFM and Quantitative-AFM
- Study of piezoelectric properties of ferroelectric polymers by PFM; Study of antimicrobial activity of polymers by AFM and Quantitative-AFM
- Study of electrical properties of 2D materials and their dependence on stress/strain by means of AFM, Quantitative-AFM, C-AFM and KPFM
- Study of morphological and elastic properties of mirror prototypes for gravitational waves detectors by means of AFM, Quantitative-AFM, Force Modulation - AFM

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Zero Electrical Resistance -> No dissipation due to the formation of the «Cooper pair»



- Peculiar density of states, characterized by:
  - Energy gap (few meV)
  - Coherence peaks
- The coherence length  $\xi$  measures the size of the cooper pair  $\xi_{BCS} = \frac{\hbar v_F}{\pi \Lambda}$



- Perfect Diamagnetism in Meissner state;
- 1<sup>st</sup> order transition in Type-I;
- 2<sup>nd</sup> order transition in Type II





A superconducting vortex always supports a magnetic quantum flux:

$$\Phi_0 = \frac{hc}{2e} = 2.07 \times 10^{-7} G cm^2$$

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#### Abrikosov hexagonal lattice



- Perfect Diamagnetism in Meissner state;
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 Scanning Tunneling Microscopy and Spectroscopy Quantum Tunneling Current

 $I \sim e^{-kz}$ 

$$I \sim \frac{4\pi e}{\hbar} |M|^2 \rho_t(0) \int_{-eV}^0 \rho_s(\varepsilon) d\varepsilon \longrightarrow \frac{dI}{dV} \propto \rho_s(\varepsilon)$$

T=OK - Low Temperature approximation

#### Magnetic Force Microscopy

Magnetostatic Interaction

 $df = \frac{f_0}{2k} \frac{dF_z}{dz}$ 



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Low Temperature – STM on  $NbSe_2$ 



Low Temperature - MFM on NbSe<sub>2</sub>



Low Temperature – STM on NbSe<sub>2</sub>



Low Temperature - STS



# Superconductor/Ferromagnet systems

We used Low-Temperature MFM and STM/STS to investigate the following Superconductor/Ferromagnet systems:



Electrically coupled MoS<sub>2</sub>/Pb



Nb is a type-II superconductor with a T<sub>c</sub> of 9.2K Py has stripe-configuration of magnetic domains A thin layer of SiO2 electrically decouples Nb and Py

- Pb is a type-II superconductor with a  $T_c$  of 7K
- MoS2 is generally a semiconductors, but a non-zero magnetization is predicted to appear at the edge states of mono-layer islands

# Magnetically coupled S/F systems - motivations

Vortices are forced into motion by the Lorentz Force causing dissipation.

B



Single vortex



• Vortex motion across the stripes is prohibited

• Vortex motion along the stripe is strongly suppressed

Vortex pinning is increased Dissipation free regime is kept at higher magnetic field

# Electrically coupled S/F systems - motivations



The BCS theory predicts the existence of a sc condensate of Cooper pairs, with zero-center of mass momentum, opposite spin (zero total spin) and charge 2e

- The exchange field of F splits the energy bands for up and down spin, thus killing the Cooper pair (which has opposite spins)
- In order to survive the Cooper pair can acquire equal spins, giving rise to supercurrents totally spinpolarized



## Magnetically coupled S/F systems - motivations

We studied magnetically coupled S/F systems in strong collaboration with Physics Department of Temple University (Philadelphia, USA)



Our activity can be wrapped up in three main results:

- Nucleation of vortices in S/F;
- Study of enhanced pinning effect due to magnetic defects;
- Advances in Quantitative-MFM.

#### Typical MFM image of Py at T=13K (above Nb T<sub>c</sub>)



- Peculiar stripe-arrangement of magnetic domains
- Stripe width proportional to Py thickness

#### Zero field cooling – T=6K (below Nb T<sub>c</sub>)



- Spontaneous Vortex-Antivortex pairs are formed in Py(4μm)/Nb(200nm) and Py(2μm)/Nb(200nm) whereas no vortex occurrence is recorded in Py(2μm)/Nb(200nm).
- Opposite polarized vortices correctly lye on proper magnetized stripes.

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#### Zero field cooling – T=6K (below Nb T<sub>c</sub>)



Spontaneous Vortex-Antivortex pairs are formed in  $Py(4\mu m)/Nb(200nm)$  and  $Py(2\mu m)/Nb(200nm)$  whereas no vortex occurrence is recorded in  $Py(2\mu m)/Nb(200nm)$ .

Opposite polarized vortices correctly lye on proper magnetized stripes.

#### **Theoretical Model**

Spontaneous V-AV can be formed in S/F only when the M<sub>o</sub> value of F is over-threshold



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**Opposite** polarized vortices correctly lye on proper magnetized stripes.

#### **Theoretical Model**

Spontaneous V-AV can be formed in S/F only when the M<sub>o</sub> value of F is over-threshold

 $M_0 > M_c$  $M_c = 0.2 \frac{d_s}{m} H_{c1}$ 

#### Zero field cooling - T=6K (below Nb T<sub>c</sub>)



#### **Theoretical Model**

Spontaneous V-AV can be formed in S/F only when the M<sub>o</sub> value of F is over-threshold



 $M_0(Py-4\mu m)>16.6G$ 

$$M_0(Py-2\mu m)>11.9G$$

 $M_0(Py-1\mu m)<33.9G$ 

Field cooling -T=6K (below Nb T<sub>c</sub>)



- Field incuded Vortices (or Antivortices) are formed with the same polarity as the external magnetic field on the proper polarized stripes;
- The tuning of the magnetic field intensity with respect to the stripe periodicity can lead to the formation of the hexagonal lattice (Matching Field)  $H = \frac{2}{\sqrt{3}} \frac{\Phi_0}{d^2}$

Typical MFM image of Py at T=13K (above Nb T<sub>c</sub>)















0.0

0.2

0.4

0.6 0.8 Position (μm) 1.0

#### H=+300 Oe



Top of the fork







H=+300 Oe



Stripe endpoint





H=+300 Oe

Stripe endpoint



H=+300 Oe



V-V distance (nm) ξ (nm) – 1.5K 105-109 55

Condition for fully separated vortices at H<sub>c2</sub>:

$$H = \frac{2}{\sqrt{3}} \frac{\Phi_0}{d^2} \qquad d(H_{c2}) \approx 2.8 \times \xi$$

Bifurations can induce vortex clusters with intervortex distance shorter than the minimum value achievable at H<sub>c2</sub>.

We always deal with samples carrying out a well know magnetic field: the superconducting vortex!

A superconducting vortex always supports a magnetic quantum flux:

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Many tip characterization procedures have been proposed in the approximation of:

U. Hartmann, Adv. El. El. Phys. 47, 49 (1994)

U. Hartmann, Phys. Lett. A **137**, 475 (1989) Dipole; D. Litvinov *et al.*, Appl. Phys. Lett. **81**, 1878 (2002)

Pseudopole.

T. Haberle, *at al.*, New J. Phys. **14**, 043044 (2012)

on different samples: wires, rings, dots,...

We always deal with samples carrying out a well know magnetic field: the superconducting vortex!

Magnetic charge "q" Charge position "z<sub>a</sub>"

Lift Scan Height

A superconducting vortex always supports a magnetic quantum flux:

$$\Phi_0 = \frac{hc}{2e} = 2.07 \times 10^{-7} G cm^2$$

In the point probe approximation, the force exerted on the tip by the vortex :

$$F_z = qH_z = \frac{q}{\mu_0} \left( \vec{\nabla} \times \vec{A} \right)_z$$

can be used to determine q and  $z_q$ .

Cantilever frequency shift due to tip-V and tip-AV interaction:

$$df = -\frac{f_0}{2k}\frac{dF_z}{dz} = -\frac{f_0}{2k}\left(\frac{dF_{z,tip-V}}{dz} + \frac{dF_{z,tip-AV}}{dz}\right)$$

Force exerted by V (AV) on the magnetic tip:

$$F_{z,tip-V(AV)} = qH_z = \frac{q}{\mu_0} \left( \vec{\nabla} \times \overrightarrow{A_{V(AV)}} \right)_z$$

tip magnetic charge  

$$F_{z,tip-V(AV)} = +(-)\frac{q}{\mu_0}\int_0^{\infty} G(x)\Phi(x)e^{-xz}J_0(xr)xdx$$

diamagnetic contribution



- We nucleated a V-Av pair in Nb-200nm single layer;
- We measured the MFM signal along the V-AV profile, which shows the unbalancing in V-AV height due to the diamagnetic background;
- We fitted the measured profile by considering the contribution of V, AV and diamagnetic background to the frequency shift df;

tip magnetic charge  

$$F_{z,tip-V(AV)} = +(-) \underbrace{\begin{array}{c} q \\ \mu_0 \end{array}} \int_0^{\infty} \underbrace{G(x)}_0 \Phi(x) e^{-xz} J_0(xr) x dx$$
  
diamagnetic  
contribution

We extracted q and z<sub>q</sub> as fitting parameters.





• q and z<sub>q</sub> representative of the used MFM tip have been derived from the zero-slope linear fit, resulting in:

 $q = (0.20 \pm 0.01)10^{-14} Wb$  $z_q = (206 \pm 4)nm$ 



- We characterize the MFM tip on V-AV pair in Nb;
- We used the same tip to measure a sample of Py(1µm);
- We calculated analytically the frequency shift due to Py stray field;

$$df = -\frac{f_0}{2k} q \frac{dH_{Py}}{dz}$$
$$H_{Py} = 8M_0 \sum_k \frac{(2k+1) \left(\frac{\pi}{w}\right) sin \left[ \left( (2k+1) \left(\frac{\pi}{w}\right) \right) x \right]}{(2k+1)^2 \left(\frac{\pi}{w}\right)} e^{-\frac{(2k+1)\pi}{w} z}$$

We fit Py magnetic signal by keeping M<sub>o</sub> as fitting parameters and we found:

$$M_0(Py - 1\mu m) = 19G$$

# Electrically coupled S/F systems

We studied **electrically coupled S/F** systems by performing LT-STM experiments @ Physics Department of Temple University (Philadelphia, USA)



We aimed at investigating inverse proximity effect between a superconductor (Pb) and the ferromagnetic localized states at the edge of  $MoS_2$  monolayer islands.

### We found something different but....



....we haven't got to the top yet!

# Sample preparation



- We grew CVD-MoS<sub>2</sub> islands on sapphire substrate;
- We brought the samples in a UHV-chamber, annealed it and grew more than 300nm of Pb;
- We cleaved the bilayer from the bottom (in-situ) by pealing off the substrate (sapphire);

• We performed STM measurements on the bottom side of the so-grown bilayer.



We found two possible topographies:

Bad electric coupling with Pb underneath

(almost free standing)

Area#1: very good atomic resolution of MoS<sub>2</sub> and Moirè pattern

Good electric coupling with Pb underneath

Area#2: no good resolution of MoS<sub>2</sub> and no Moire pattern

Mo8<sub>2</sub> lattice parameter 3.22Å Area#2

15.5 x 15.5nm<sup>2</sup>

Area#1

15.5 x 15.5nm<sup>2</sup>







## Spectroscopy on Moirè pattern and defects



## Moirè pattern and grain boundary

If we acquire simultaneous topography and conductance maps at the coherence peak we see a mismatch of the topographic and conductance maxima



# Fit of Spectroscopy



- If we fit the LDOS with standard BCS theory, we are not able to reproduce the coherence peak height;
- If we fit the LDOS with a model taking into account the **proximity** between a **SC** and a **metal**, it is almost perfect on the peak height.

Does MoS<sub>2</sub> monolayer become metallic and then superconductor when proximized to Pb?

## Magnetic Field Dependence



of

- We observed the suppression superconductivity around 2300 Oe;
- The critical field estimated from ZBC vs H is higher than the one in single-Pb.

Typical feature of proximized structures!

# Conclusions

- Magnetically coupled S/F have been studied to get out insights into vortex nucleation and pinning at the nanoscale;
- Electrically coupled S/F are studied aiming at finding triplet superconductivity but, to date, performed STM experiments gave indications of possible metallicity of MoS<sub>2</sub> monolayer, when coupled to Pb, and its proximation to SC below Pb T<sub>c</sub>.



Thank you for the attention!!!